



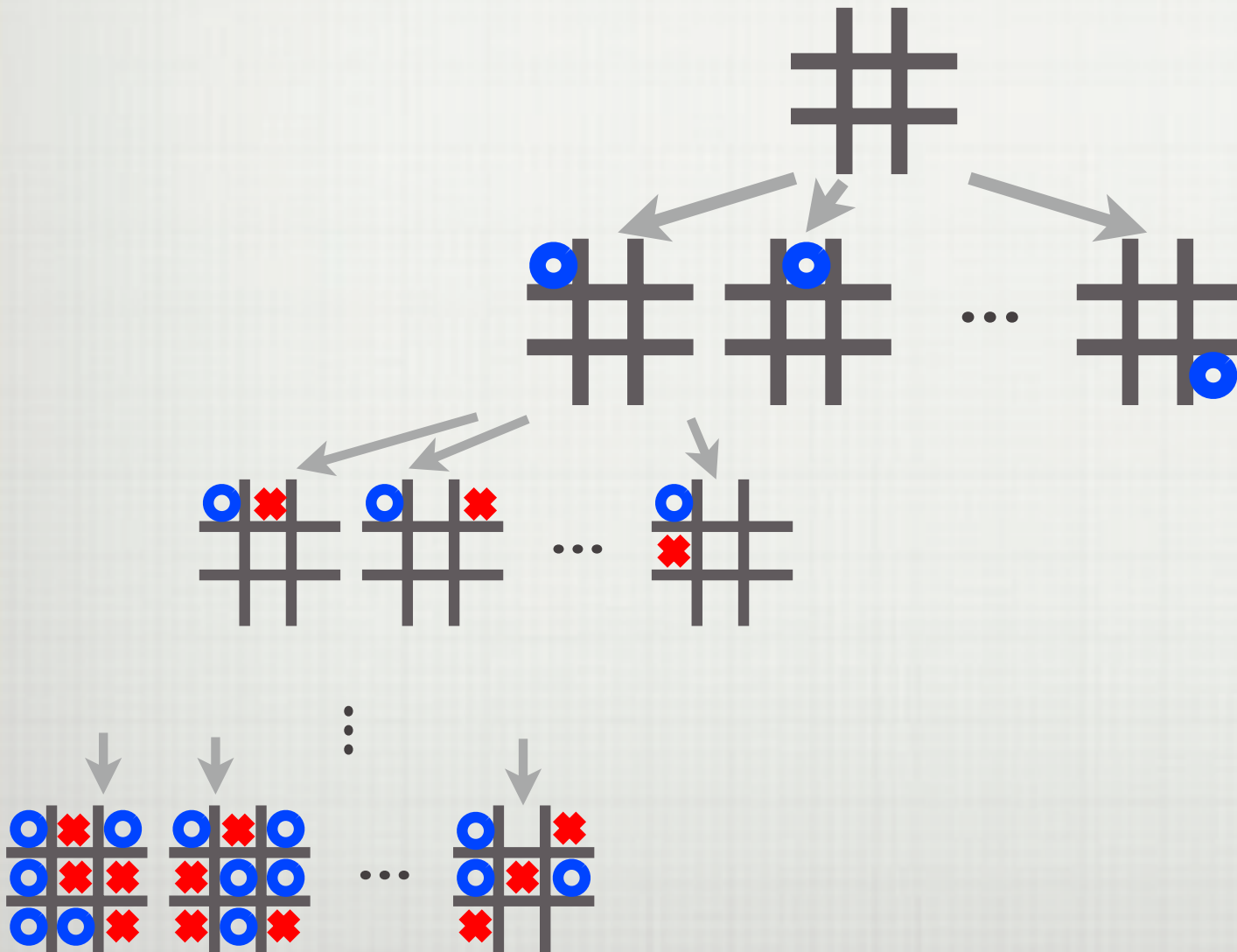
JOHDATUS TEKOÄLYYN

TEEMU ROOS

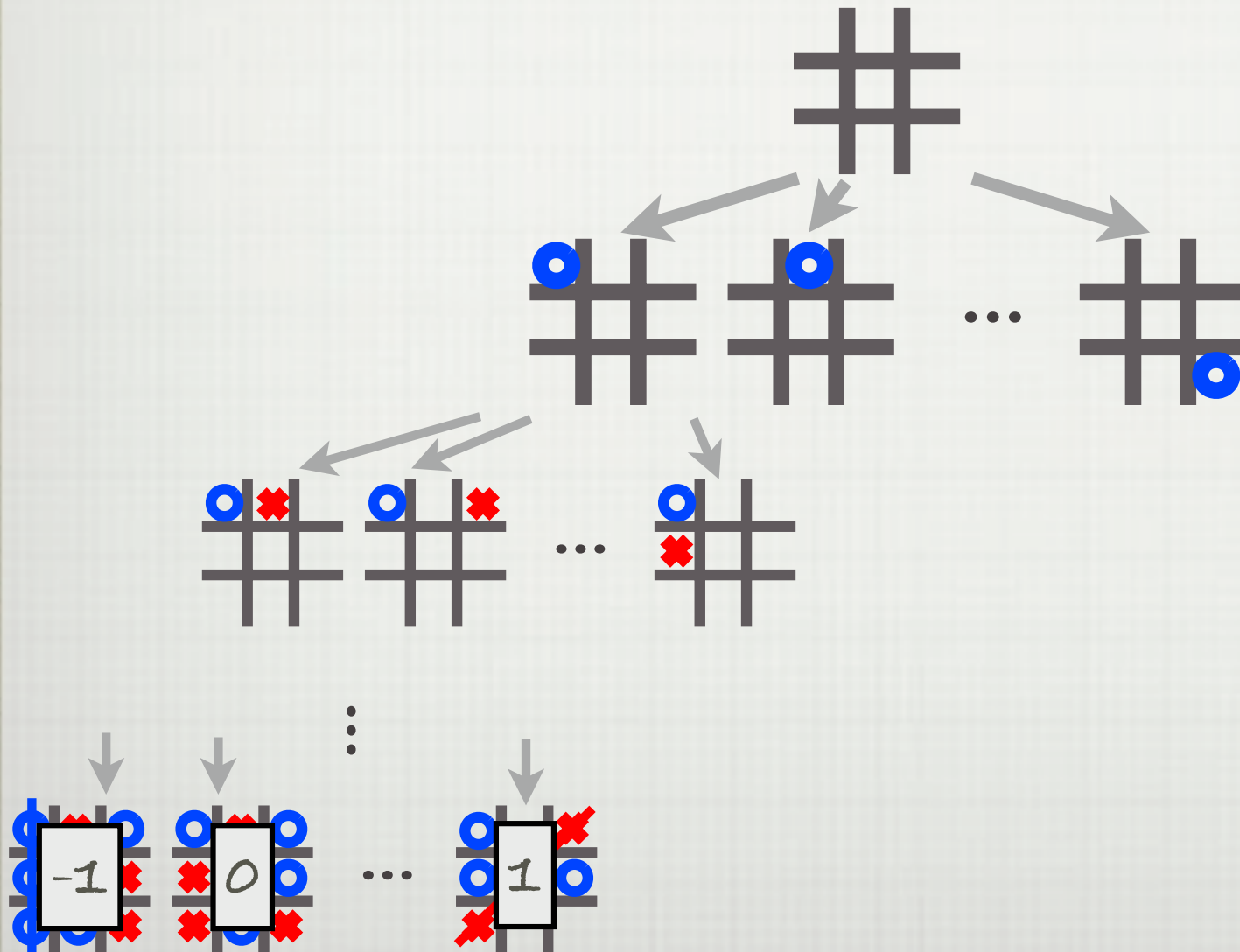


HELSINGIN YLIOPISTO

PELIPUU



PELIPUU



PELIPUU

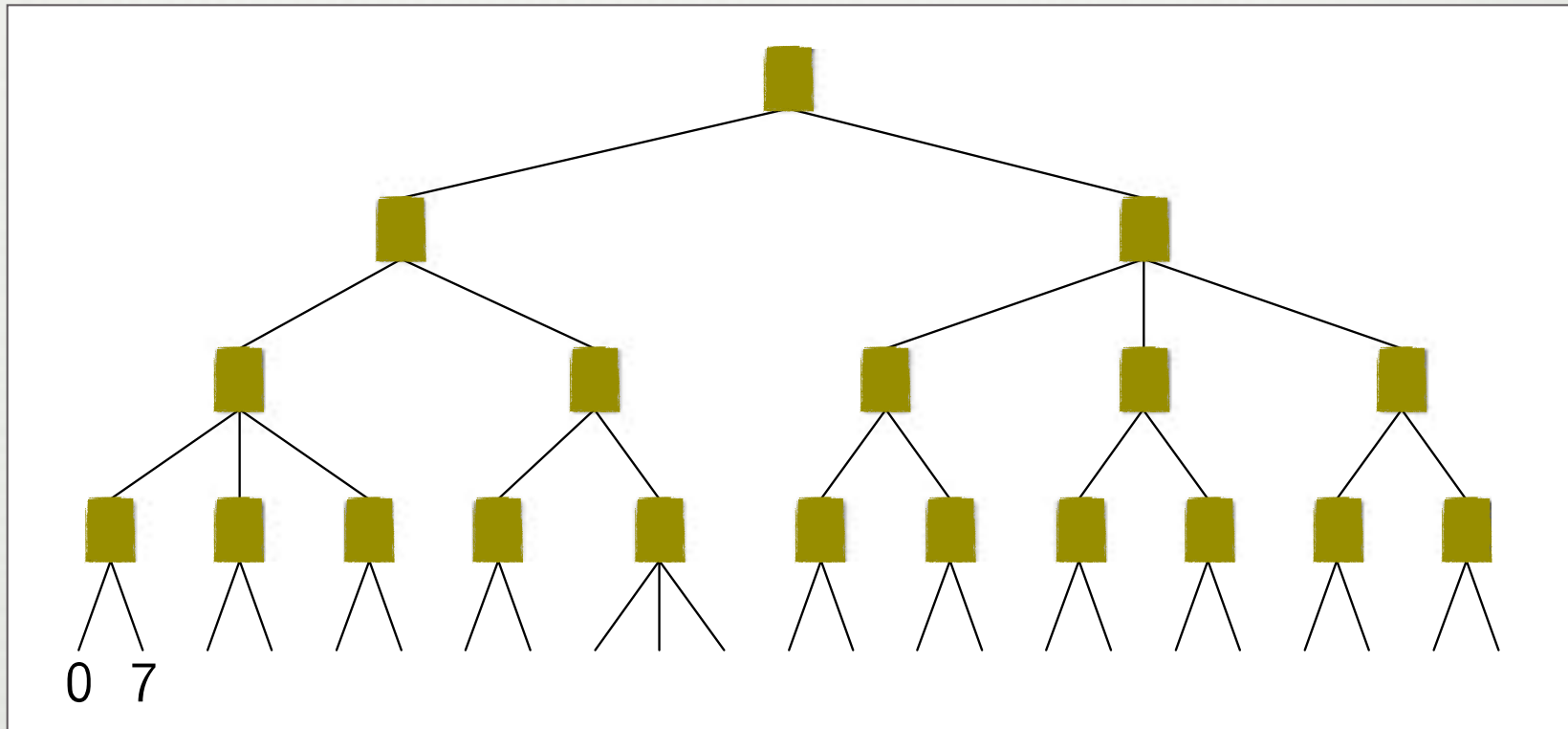
MAX

MIN

MAX

MIN

0 7



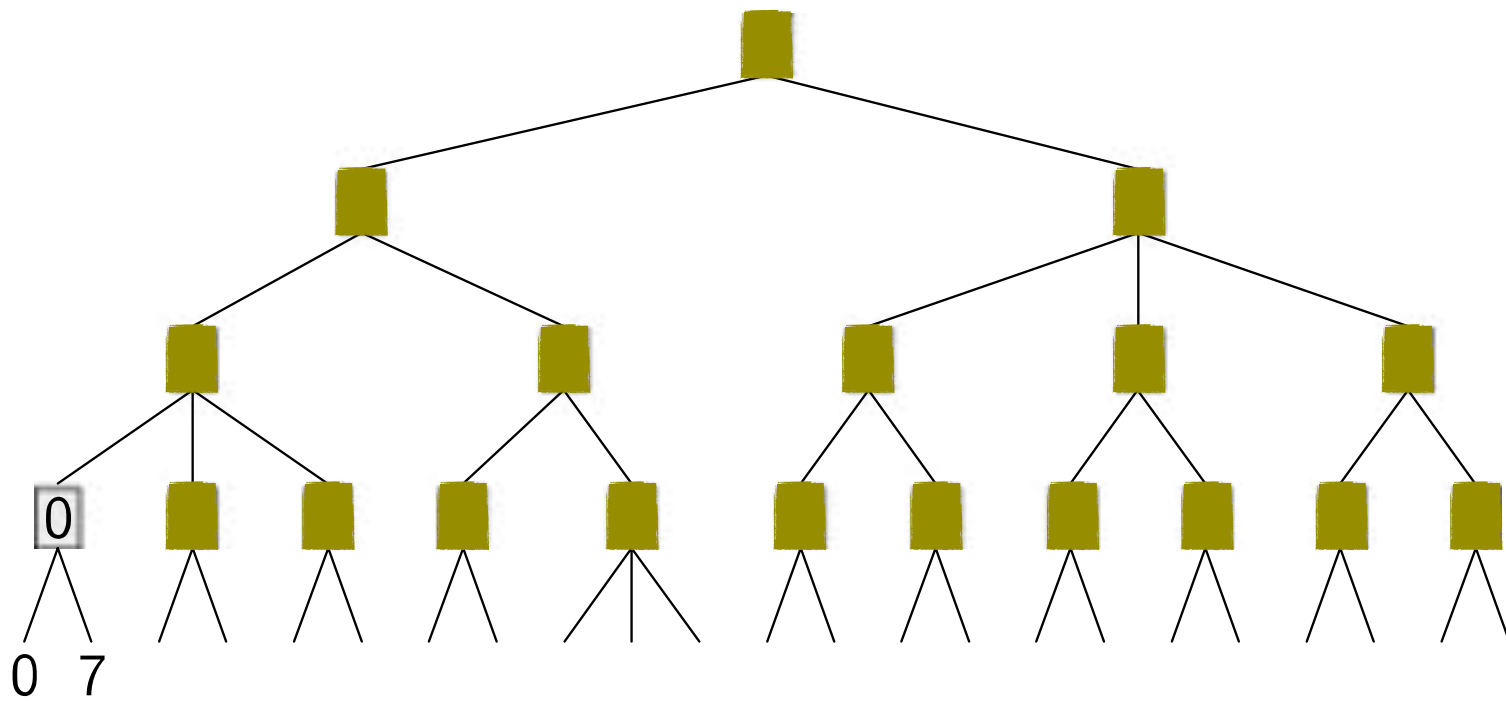
PELIPUU

MAX

MIN

MAX

MIN



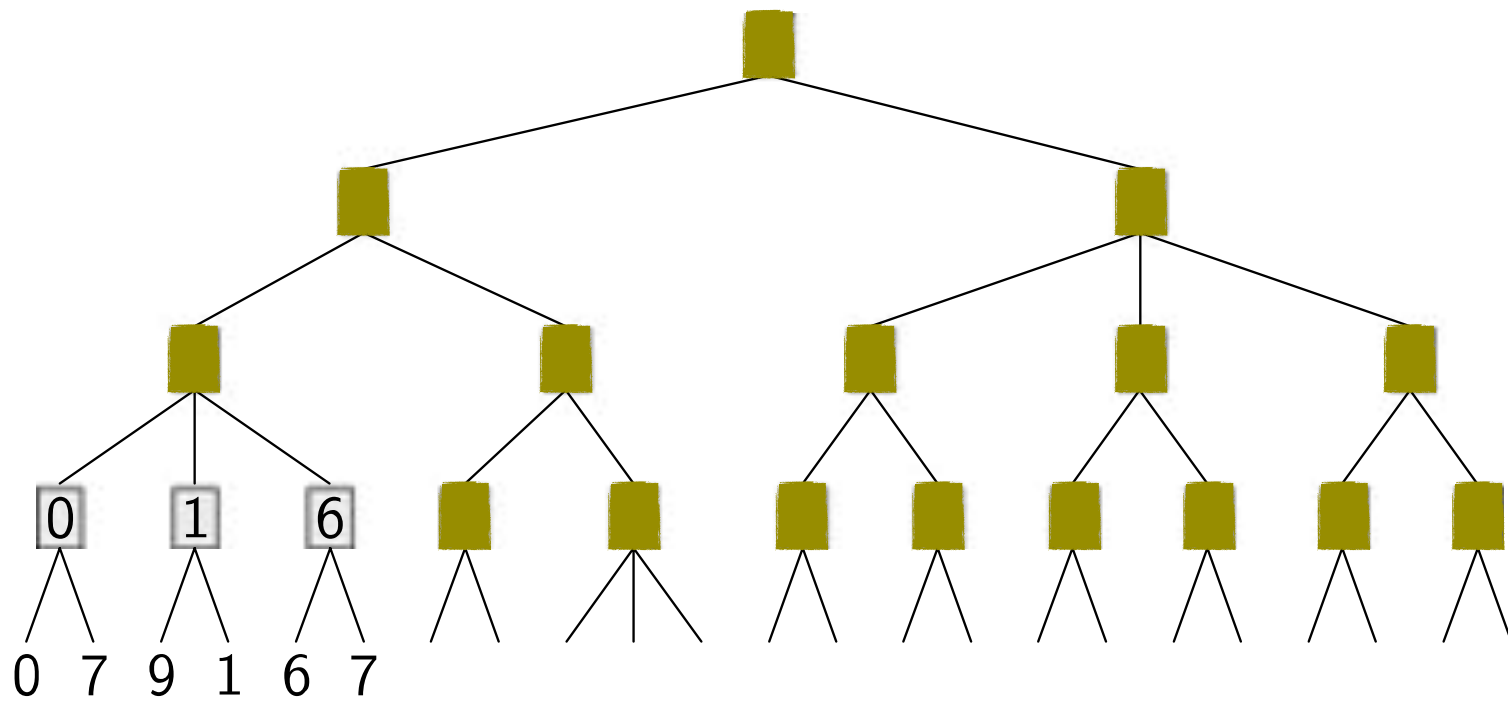
PELIPUU

MAX

MIN

MAX

MIN



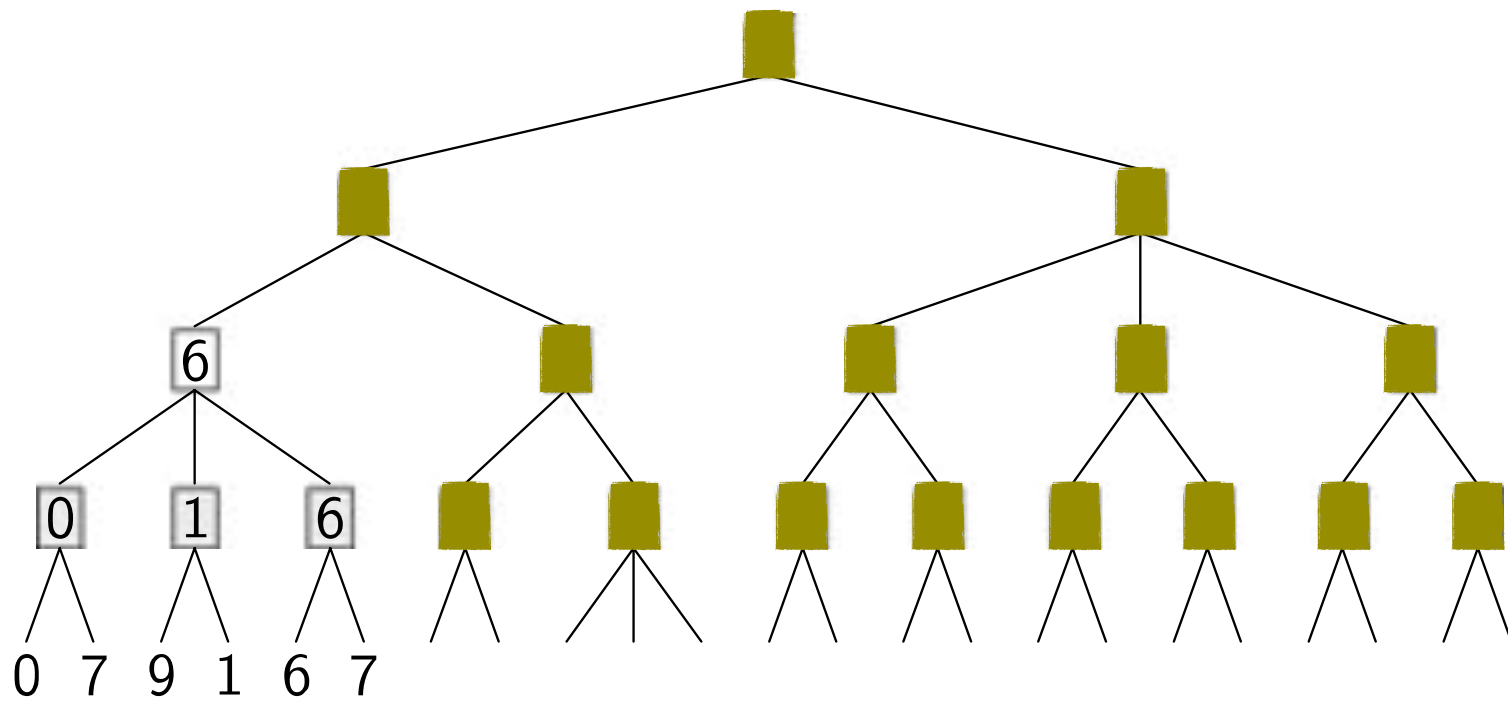
PELIPUU

MAX

MIN

MAX

MIN



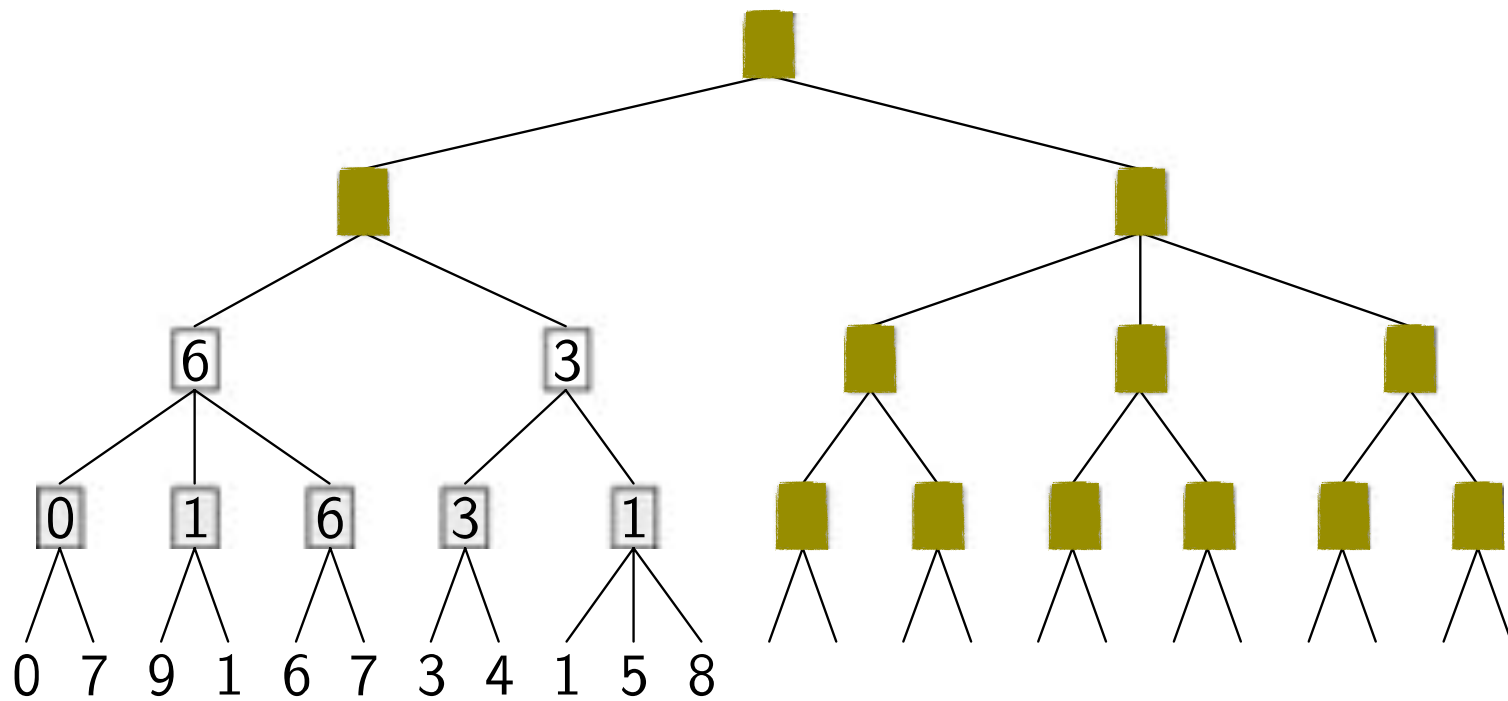
PELIPUU

MAX

MIN

MAX

MIN



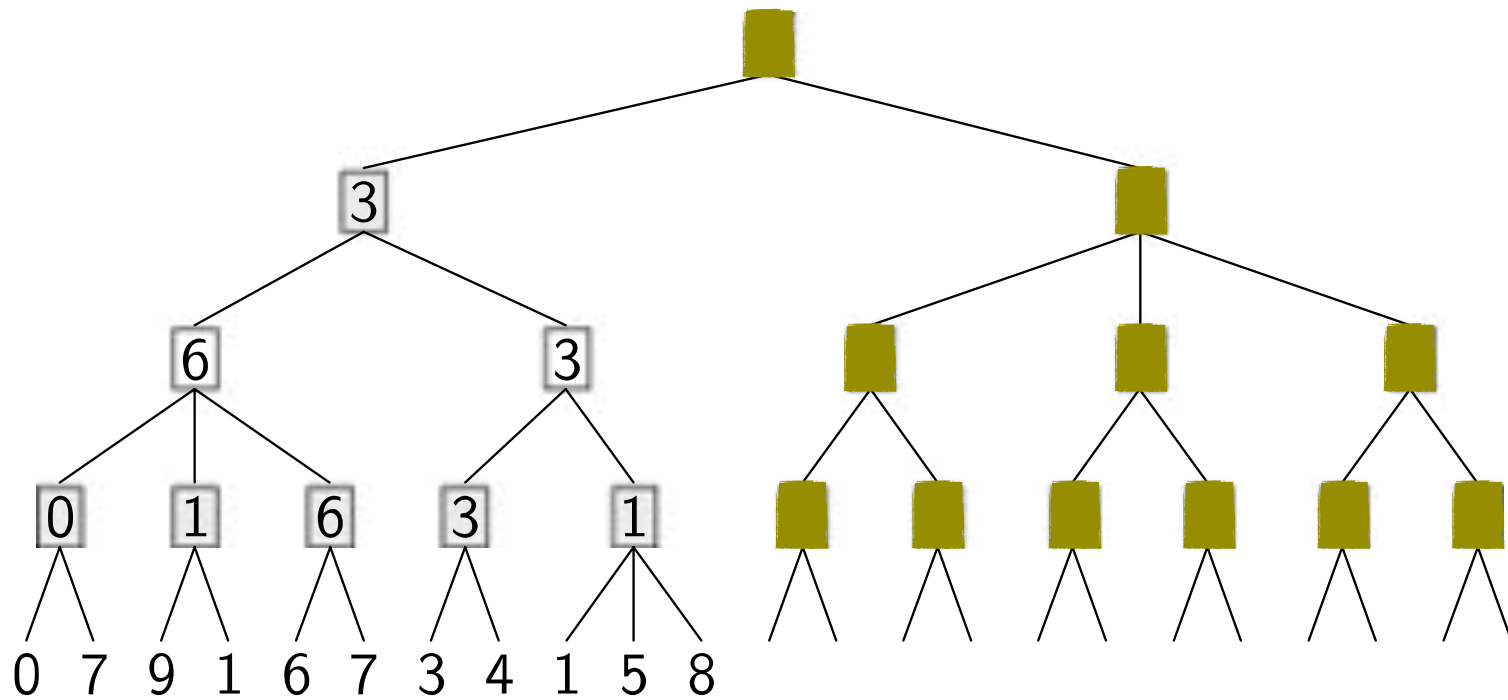
PELIPUU

MAX

MIN

MAX

MIN



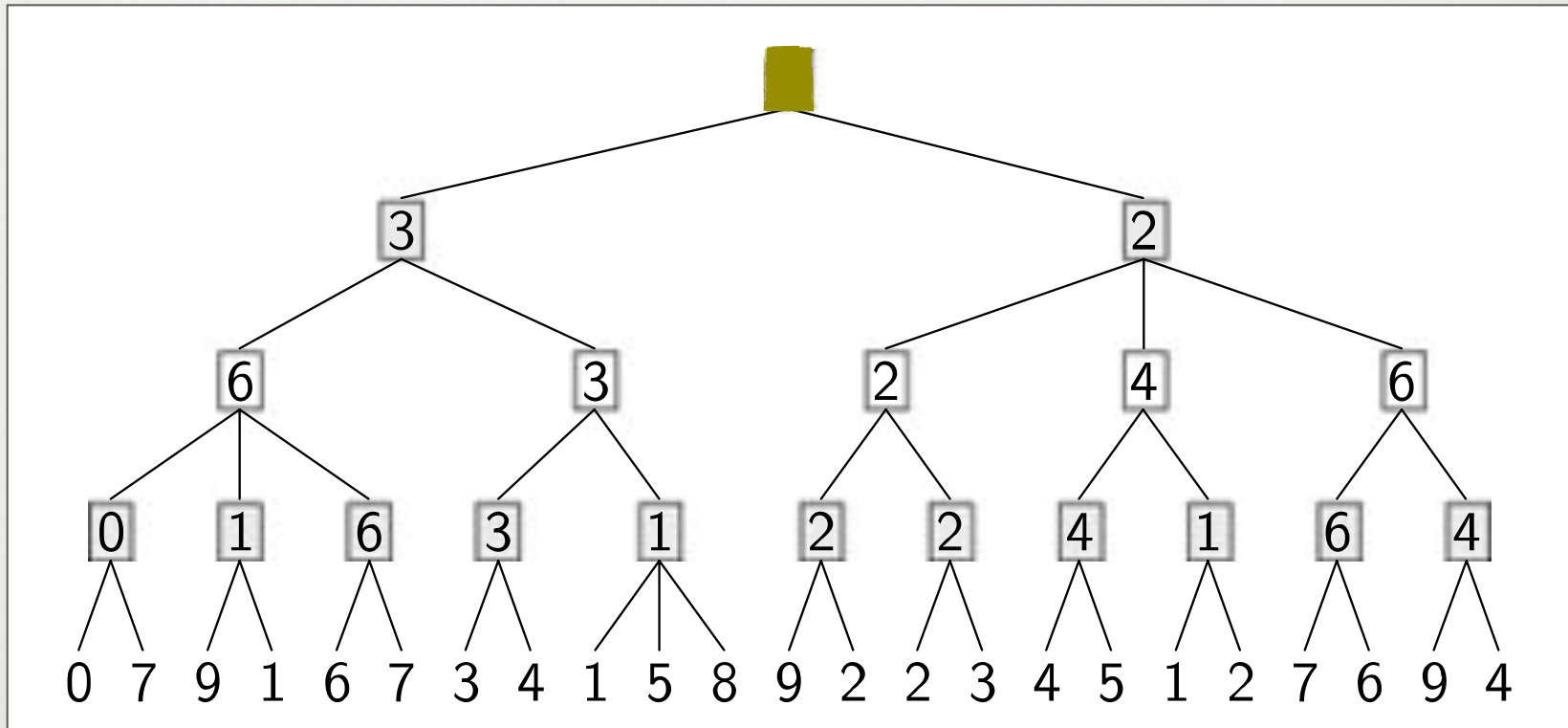
PELIPUU

MAX

MIN

MAX

MIN



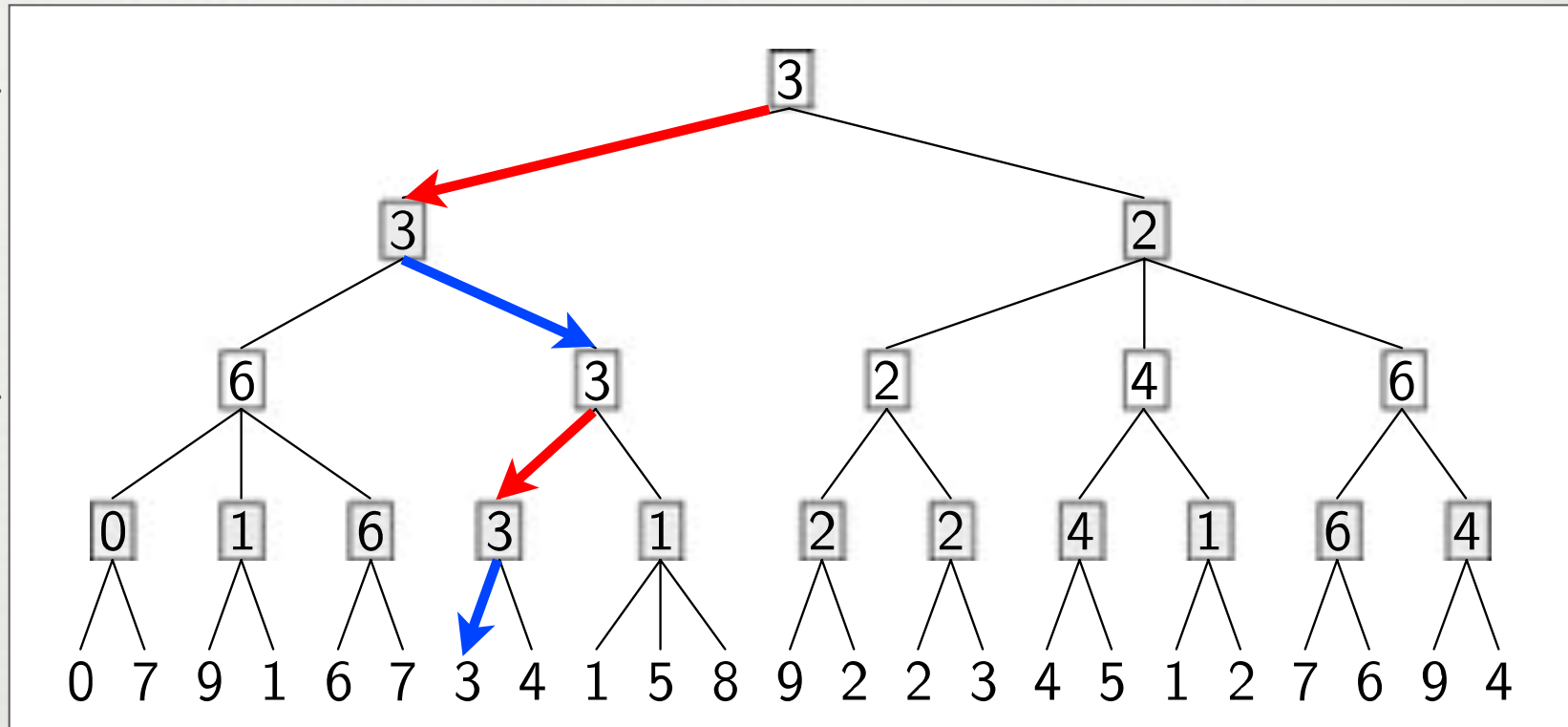
PELIPUU

MAX

MIN

MAX

MIN



MINIMAX

MAX-ARVO(Solmu)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = -\infty$

for each Lapsi in LAPSET(Solmu)

$v = \text{MAX}(v, \text{MIN-ARVO}(\text{Lapsi}))$

return(v)

MIN-ARVO(Solmu)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

$v = \text{MIN}(v, \text{MAX-ARVO}(\text{Lapsi}))$

return(v)

MINIMAX

MAX-ARVO(Solmu)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = -\infty$

for each Lapsi in LAPSET(Solmu)

$v = \text{MAX}(v, \text{MIN-ARVO}(\text{Lapsi}))$

return(v)

MIN-ARVO(Solmu)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

$v = \text{MIN}(v, \text{MAX-ARVO}(\text{Lapsi}))$

return(v)

MINIMAX

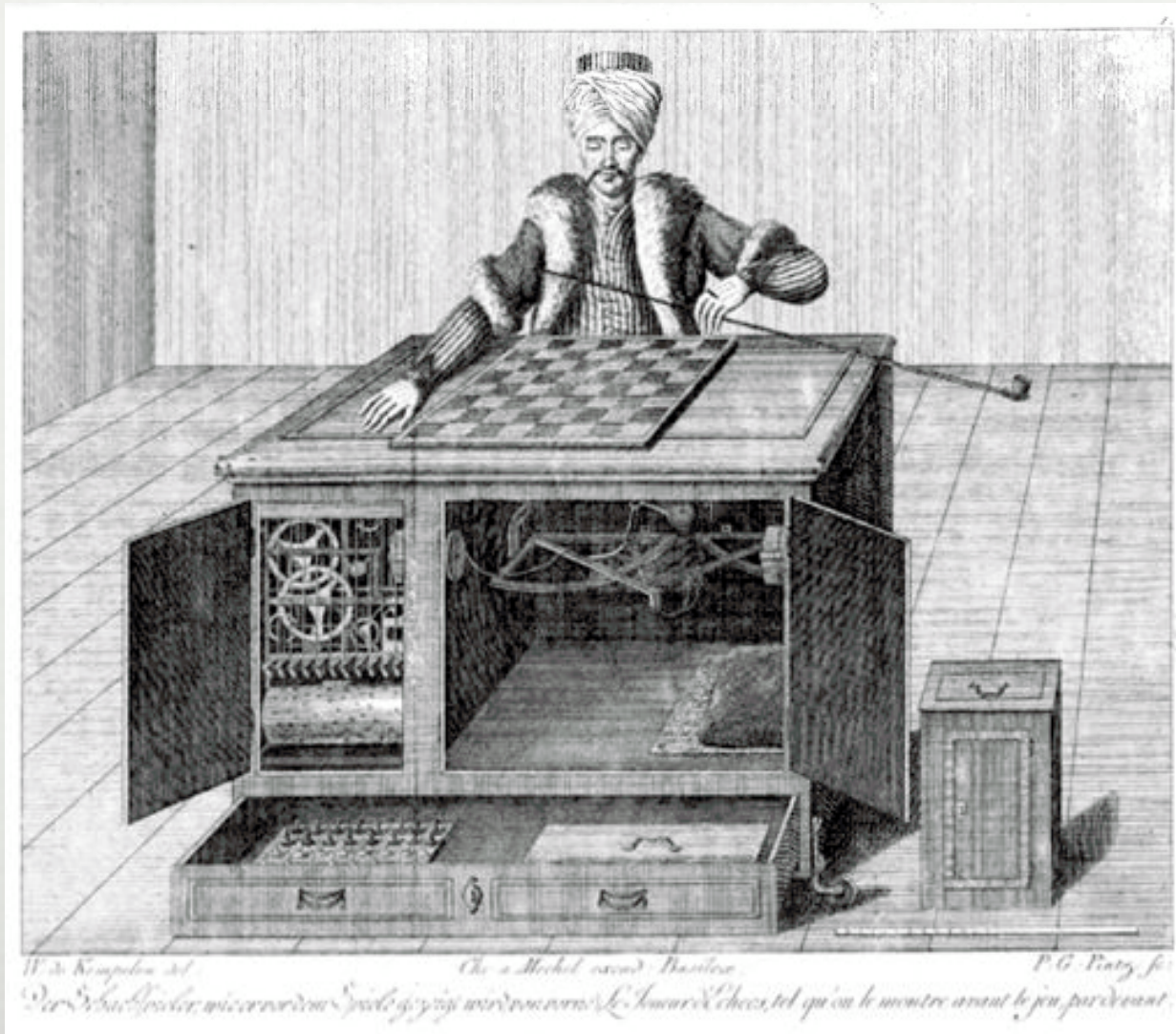
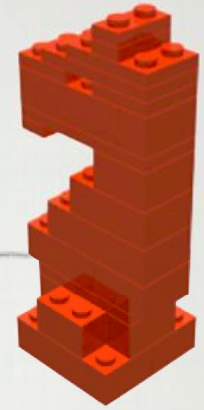
Game Demonstra

The purpose of this demonstration is to help you develop intuition for how minimax and alpha-beta search methods perform. The particular problem solved is that of finding the best move in a game.

The search type menu item on the menu bar enables you to see either the minimax method working alone or together with the alpha-beta method.

The search type menu item

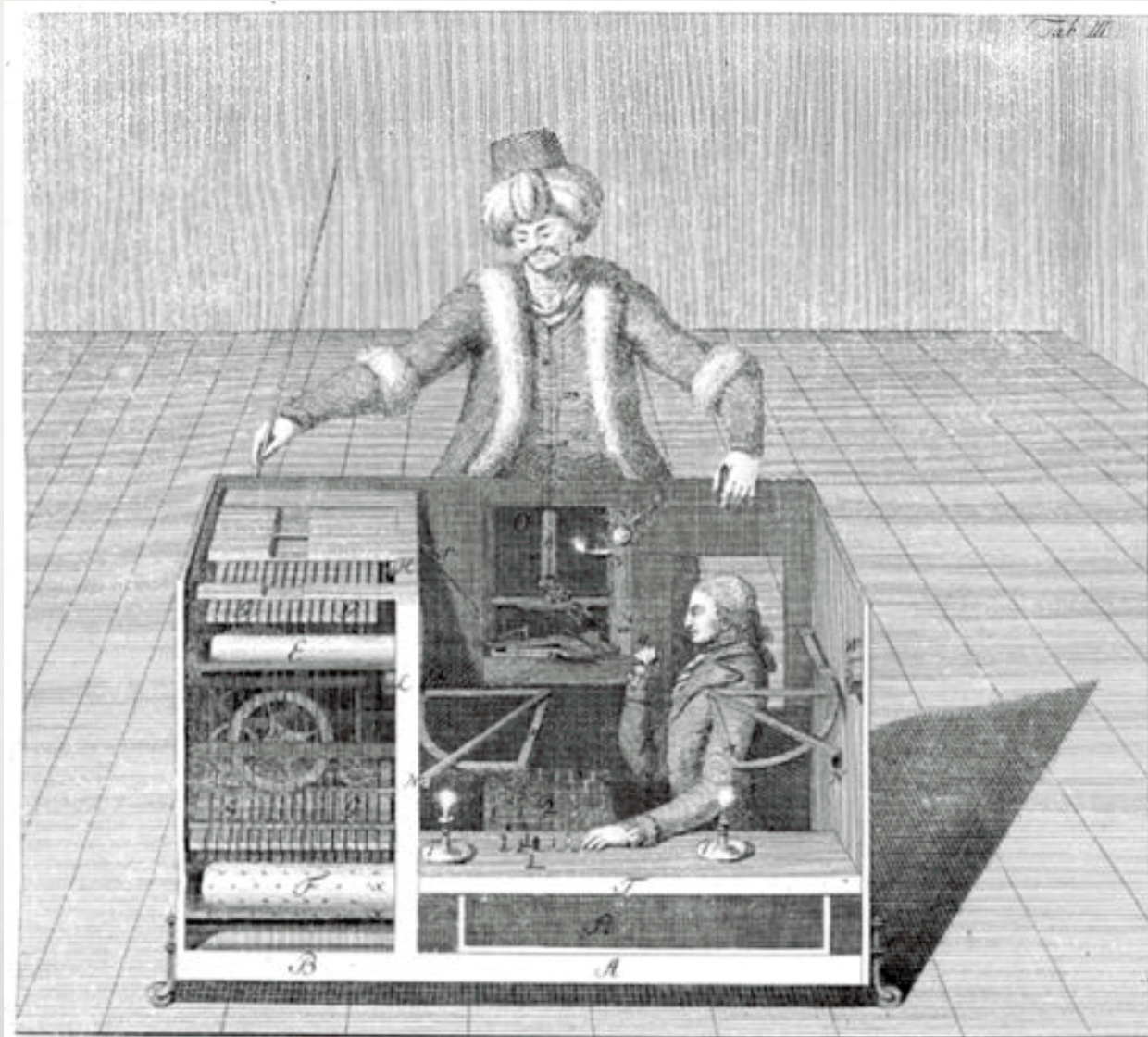
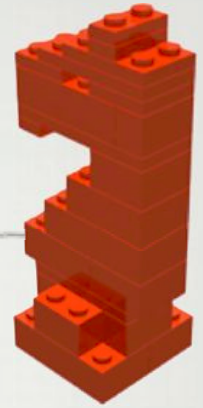
SHAKKI



SHAKKI

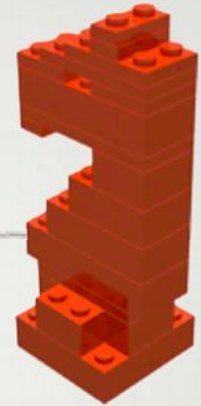


SHAKKI



SHAKKI

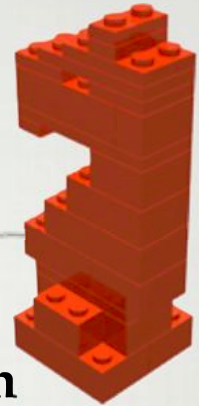
(NICE TO KNOW: EI TARVITSE OPETELLA)



- 1769 **Wolfgang von Kempelen** rakentaa "Turkin"
- 1912 **L. Torres y Quevedo** rakentaa koneen kuningas&torni vs kuningas -loppupeleihin
- 1948 **Norbert Wiener** esittää syvyysrajoitetun minimax-algoritmin heuristisella arviontifunktiolla
- 1950 **Claude Shannon** julkaisee artikkelin "Programming a Computer for Playing Chess"
- 1951 **Alan Turing** kehittää ensimmäisen algoritmin, joka pystyy pelaamaan kokonaisen shakkiottelun
- 1956 Los Alamos chess: ensimmäinen tietokoneohjelma, joka pelaa (yksinkertaistettua) shakkia
- 1956 **John McCarthy** keksii alpha-beta-karsinnan
- 1957 Ensimmäiset oikeaa shakkia pelaavat ohjelmat
- 1966-67 Ensimmäiset tietokoneohjelmien väliset ottelut (Moskova voittaa.)

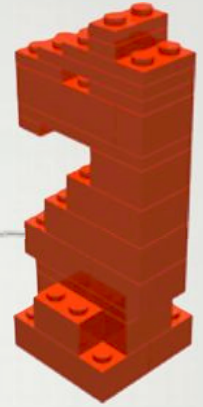
SHAKKI

(NICE TO KNOW: EI TARVITSE OPETELLA)



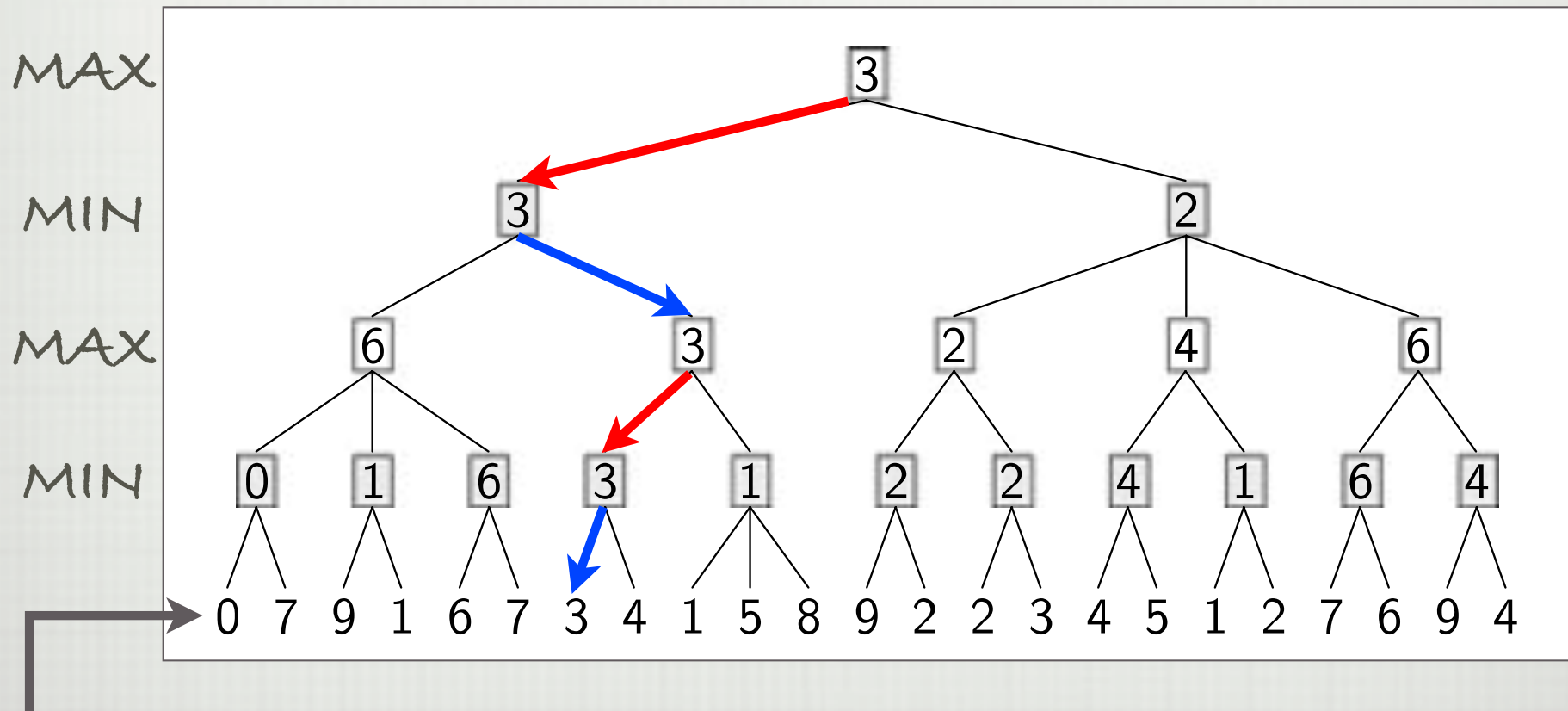
- 1967** Ensimmäinen tietokoneohjelman voitto turnauksessa.
- 1981** Cray Blitz voittaa Mississippin osavaltion mestaruuden ja saa ensimmäisenä tietokoneena mestarin statuksen.
- 1988** Deep Thought voittaa ensimmäistä kertaa suurmestarin turnauksessa.
- 1989** **Garry Kasparov** voittaa kaksi näytösottelua Deep Thoughtia vastaan.
- 1996** **Garry Kasparov** voittaa Deep Bluen kuuden pelin ottelussa.
- 1997** Deep Blue voittaa **Garry Kasparovin** kuuden pelin ottelussa.
- 2006** Deep Fritz voittaa maailmanmestari **Vladimir Kramnikin**.

SHAKKI



- * TILA: (LAUDAN TILANNE)
- * SIIRTYMÄT: (SALLITUT SIIRROT)
- * MENETELMÄ: SYVYYSSRAJOITETTU ALPHA-BETA-KARSINTA

PELIPUU

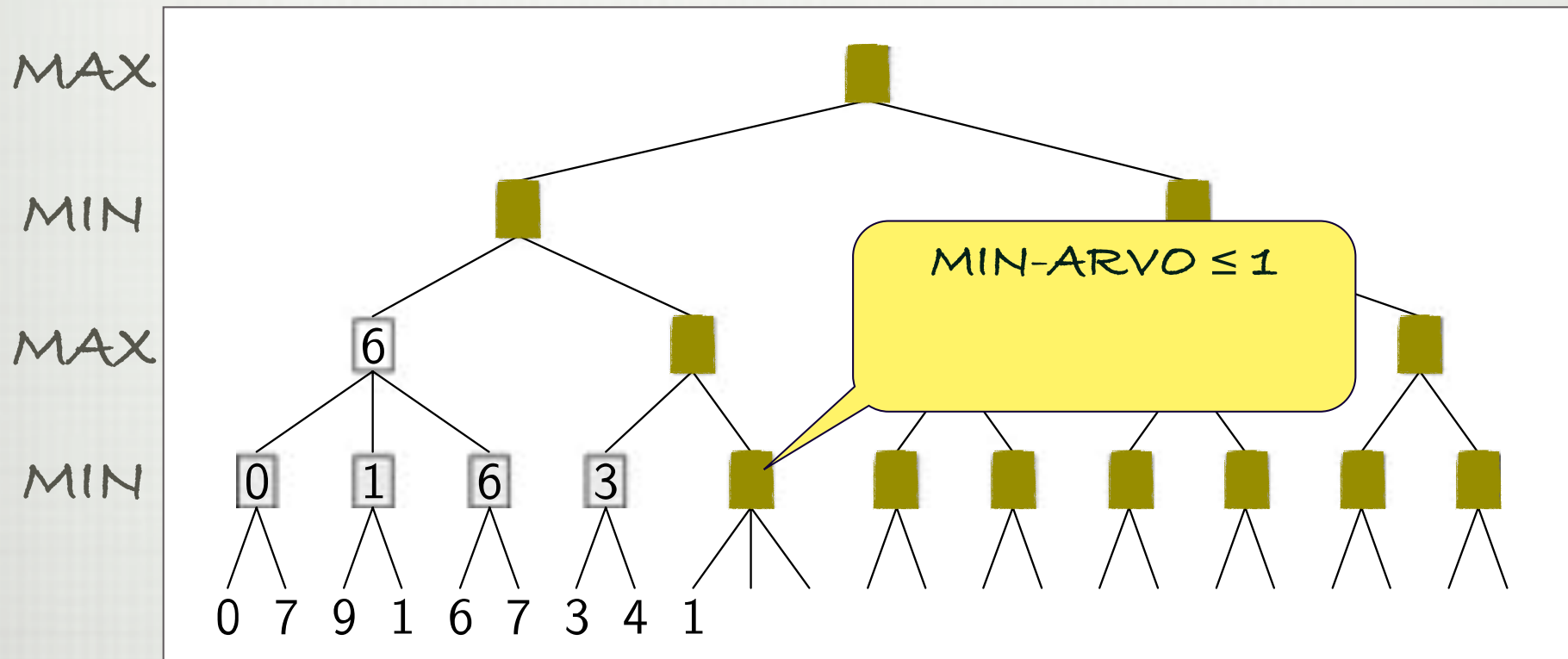


ARVIOITA TILANTEEN HYVYYDESTÄ

SHAKKI

- * TILA: (LAUDAN TILANNE)
- * SIIRTYMÄT: (SALLITUT SIIRROT)
- * MENETELMÄ: SYVYYSSRAJOITETTU ALPHA-BETA-KARSINTA
- * TEHTÄVÄ: SUUNNITTELE HEURISTINEN ARVIOINTIFUNKTIO

ALPHA-BETA-KARSINTA



ALPHA-BETA-KARSINTA

MAX-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = -\infty$

for each Lapsi in LAPSET(Solmu)

$v = \text{MAX}(v, \text{MIN-ARVO}(\text{Lapsi}, \alpha, \beta))$

if $v \geq \beta$ **return**(v)

$\alpha = \text{MAX}(\alpha, v)$

return(v)

MIN-PELAAJAN
TOISTAISEKSI
PARAS ARVO

MAX-PELAAJAN
TOISTAISEKSI
PARAS ARVO

ALPHA-BETA-KARSINTA

MAX-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = -\infty$

for each Lapsi in LAPSET(Solmu)

$v = \text{MAX}(v, \text{MIN-ARVO}(\text{Lapsi}, \alpha, \beta))$

if $v \geq \beta$ **return**(v)

$\alpha = \text{MAX}(\alpha, v)$

return(v)

MIN-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

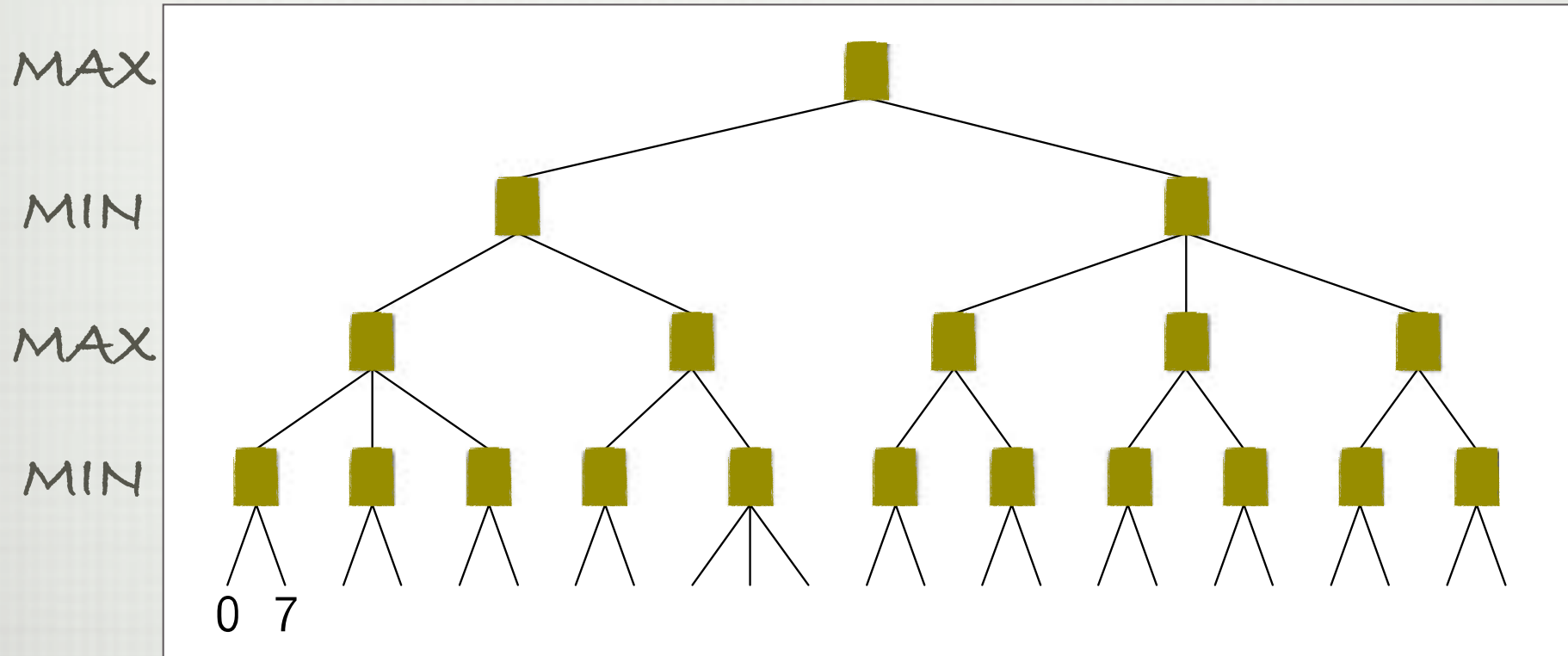
$v = \text{MIN}(v, \text{MAX-ARVO}(\text{Lapsi}, \alpha, \beta))$

if $v \leq \alpha$ **return**(v)

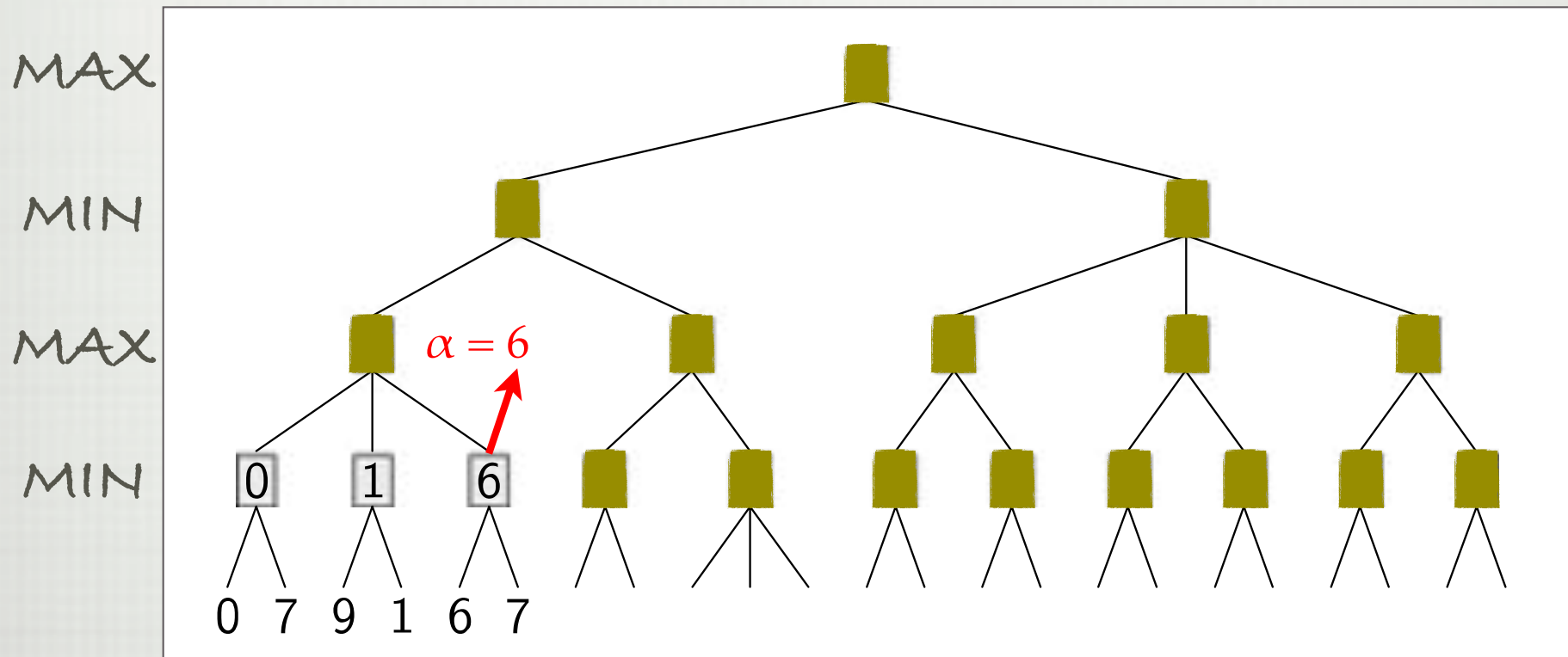
$\beta = \text{MIN}(\beta, v)$

return(v)

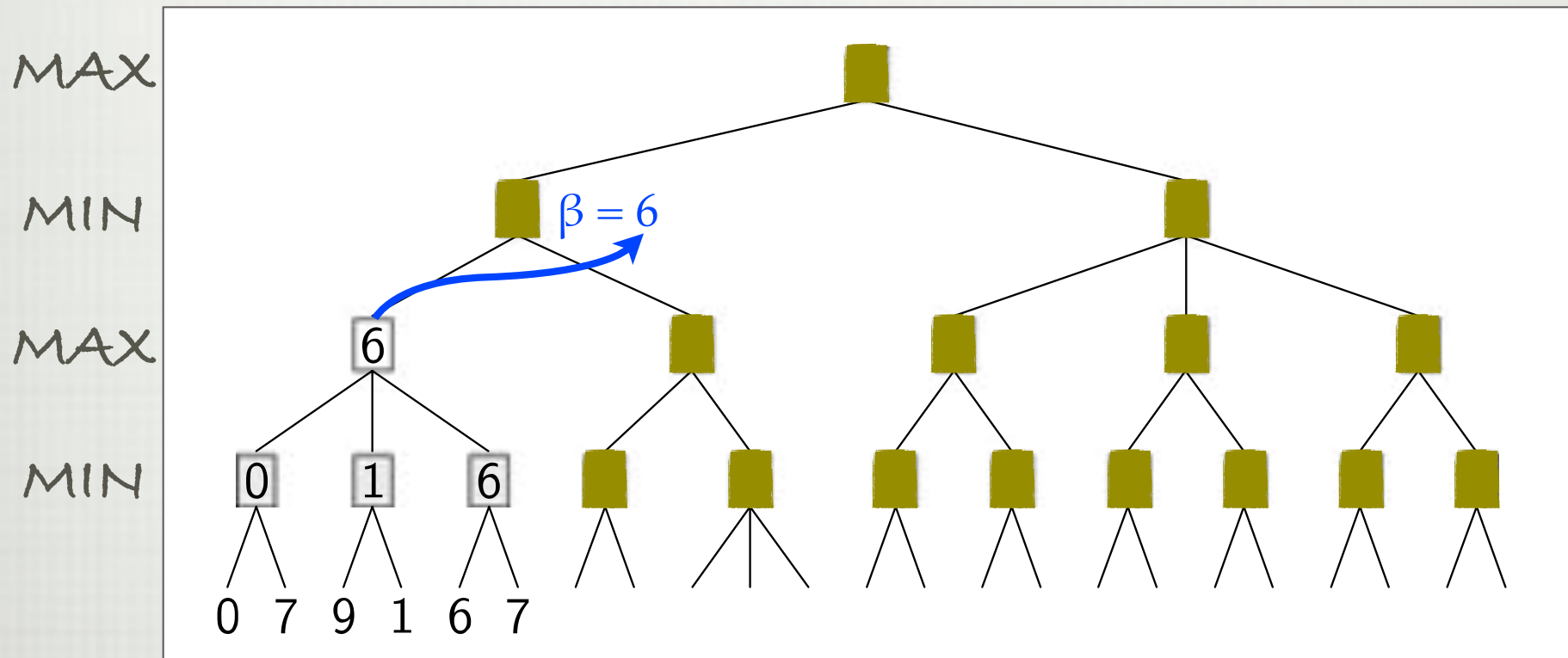
ALPHA-BETA-KARSINTA



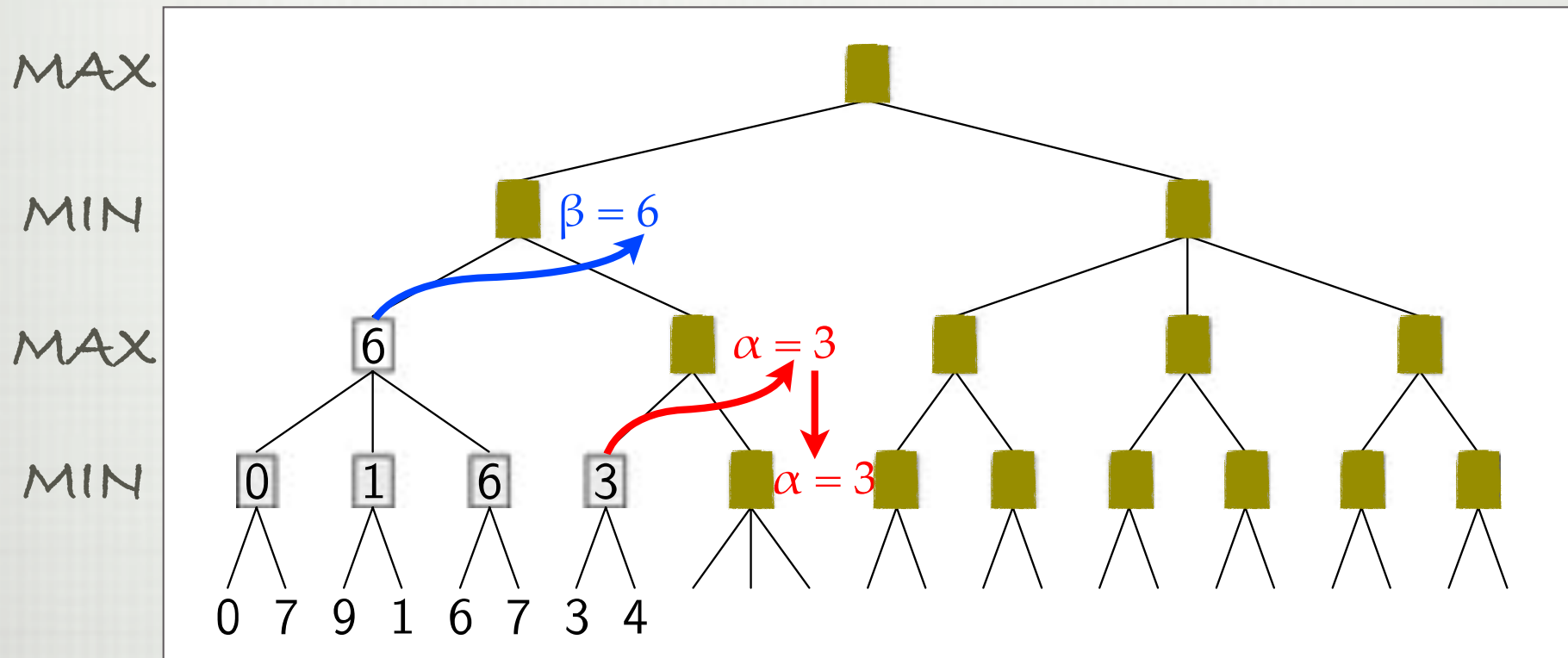
ALPHA-BETA-KARSINTA



ALPHA-BETA-KARSINTA



ALPHA-BETA-KARSINTA



ALPHA

MIN-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

$v = \text{MIN}(v, \text{MAX-ARVO}(\text{Lapsi}, \alpha, \beta))$

if $v \leq \alpha$ **return**(v)

$\beta = \text{MIN}(\beta, v)$

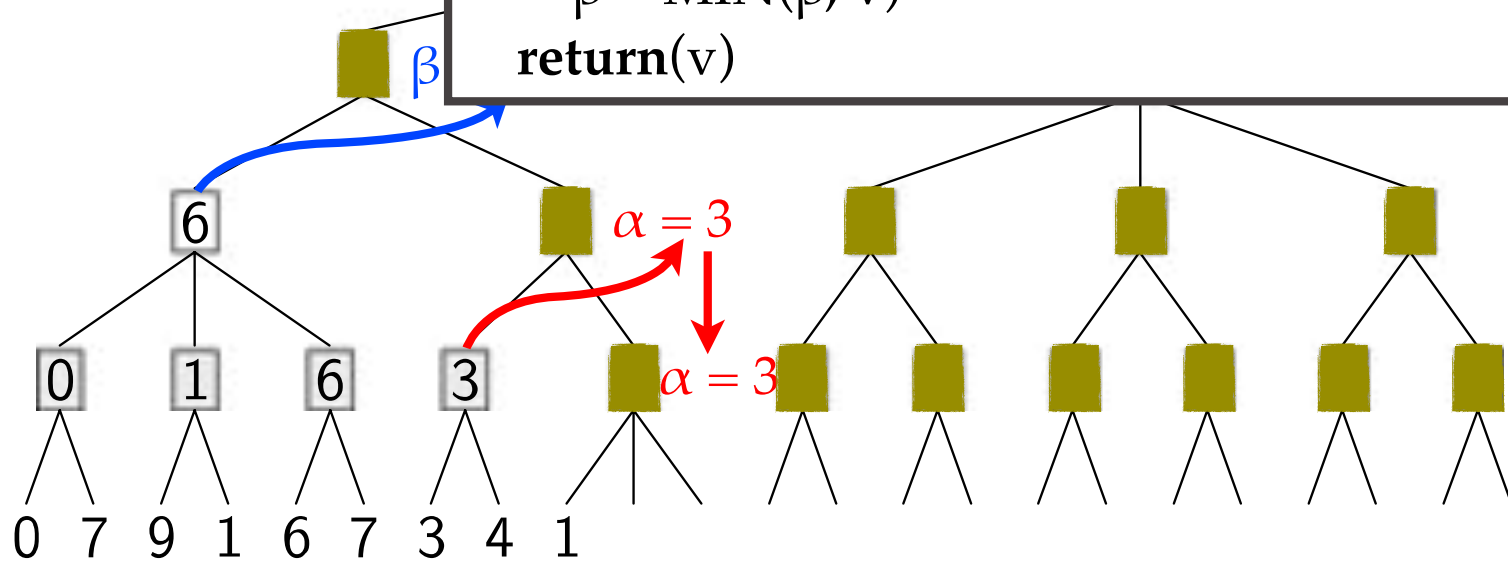
return(v)

MAX

MIN

MAX

MIN



ALPHA

MIN-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) return(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

$v = 1$

if $v \leq \alpha$ return(v)

$\beta = \text{MIN}(\beta, v)$

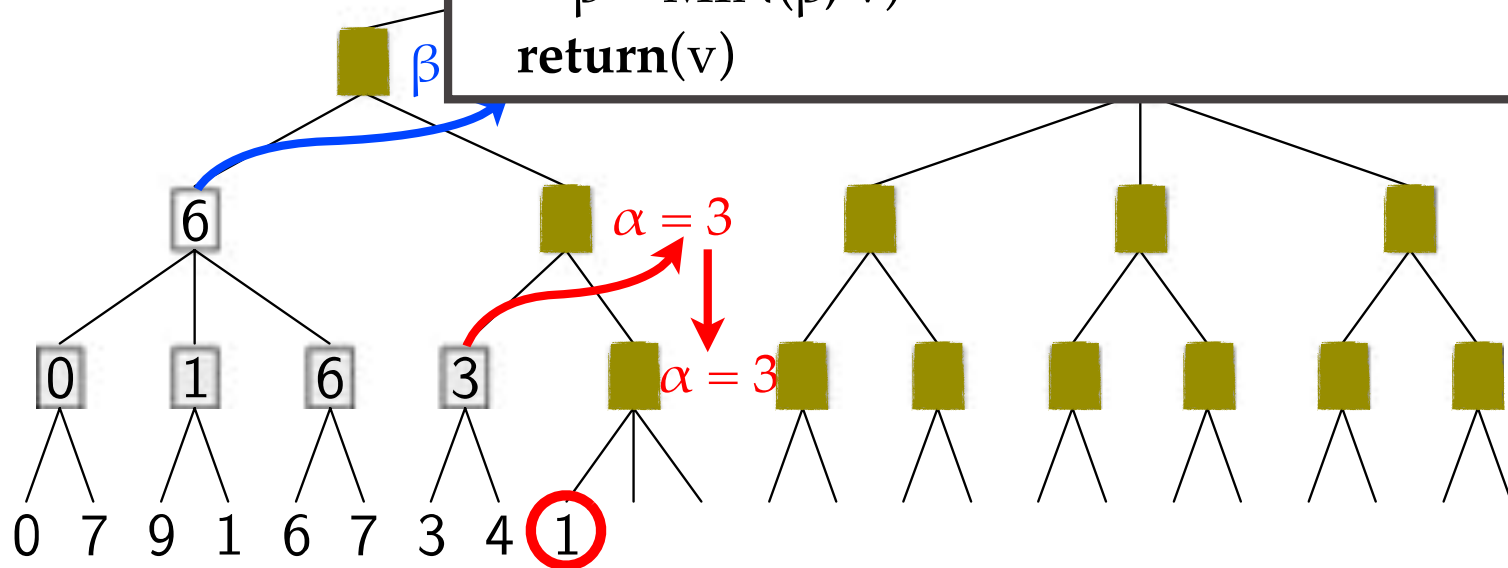
return(v)

MAX

MIN

MAX

MIN



ALPHA

MIN-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) return(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

$v = 1$

if $1 \leq 3$ return(v)

$\beta = \text{MIN}(\beta, v)$

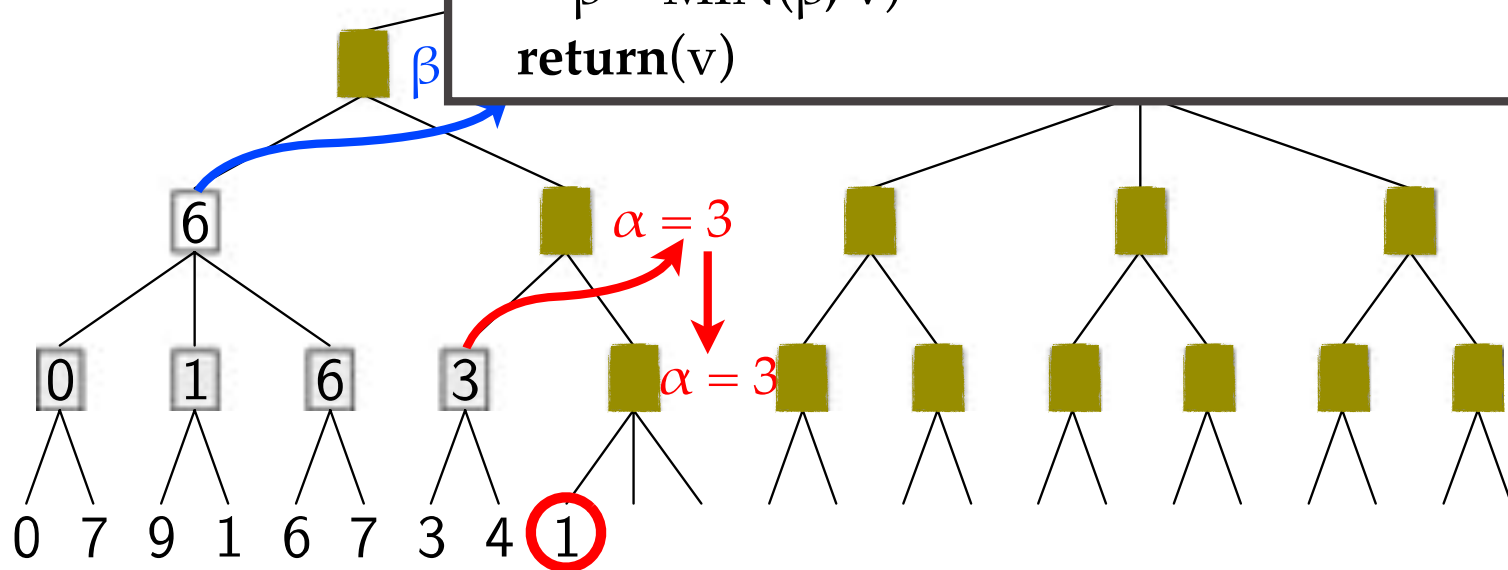
return(v)

MAX

MIN

MAX

MIN



ALPHA

MIN-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) return(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

$v = 1$

if $1 \leq 3$ return(v)

$\beta = \text{MIN}(\beta, v)$

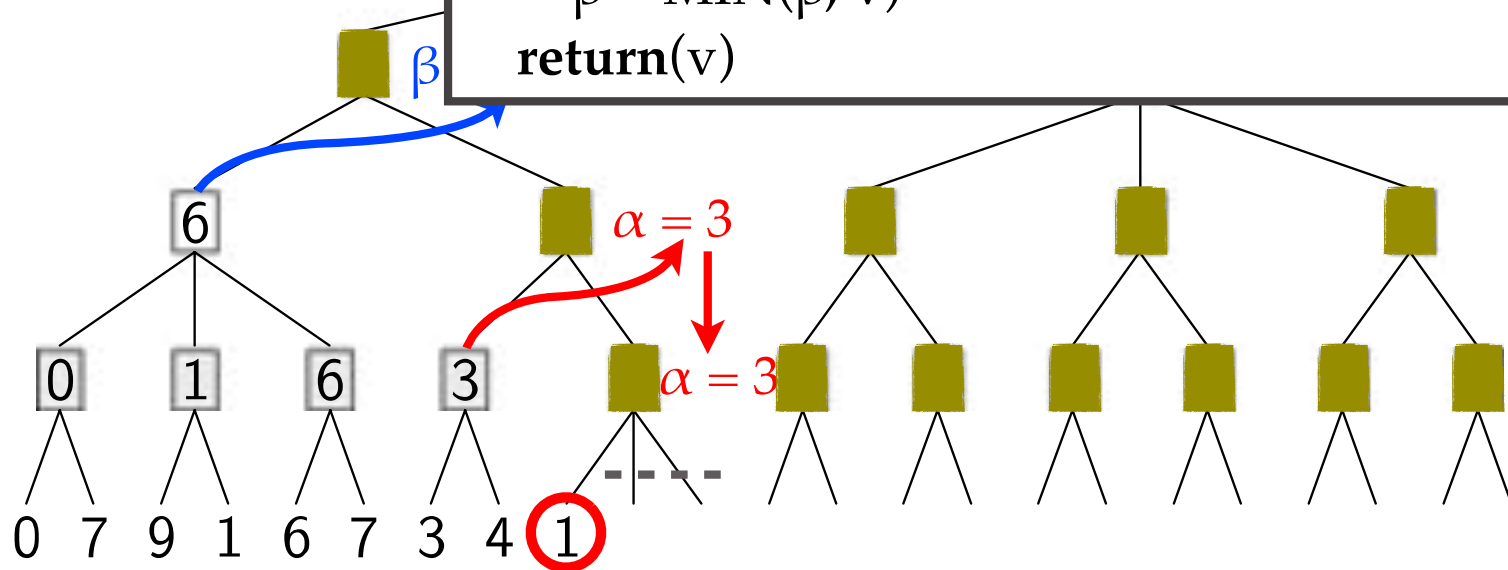
return(v)

MAX

MIN

MAX

MIN



ALPHA

MIN-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) return(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

$v = 1$

if $1 \leq 3$ return(v)

$\beta = \text{MIN}(\beta, v)$

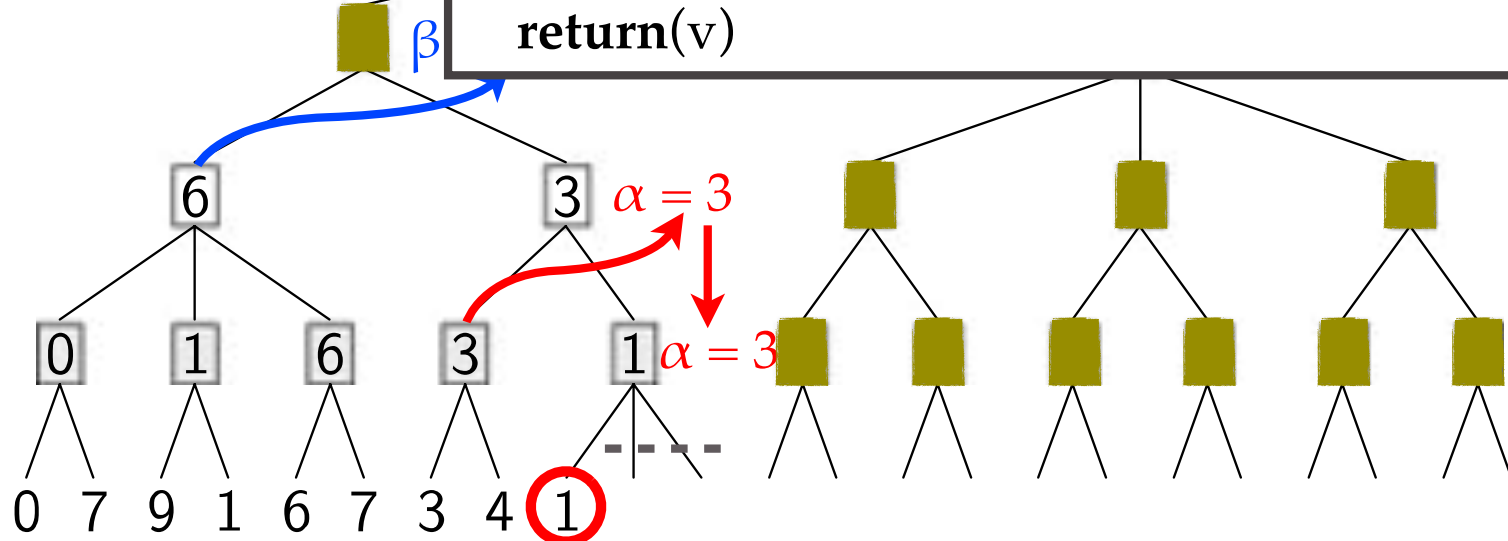
return(v)

MAX

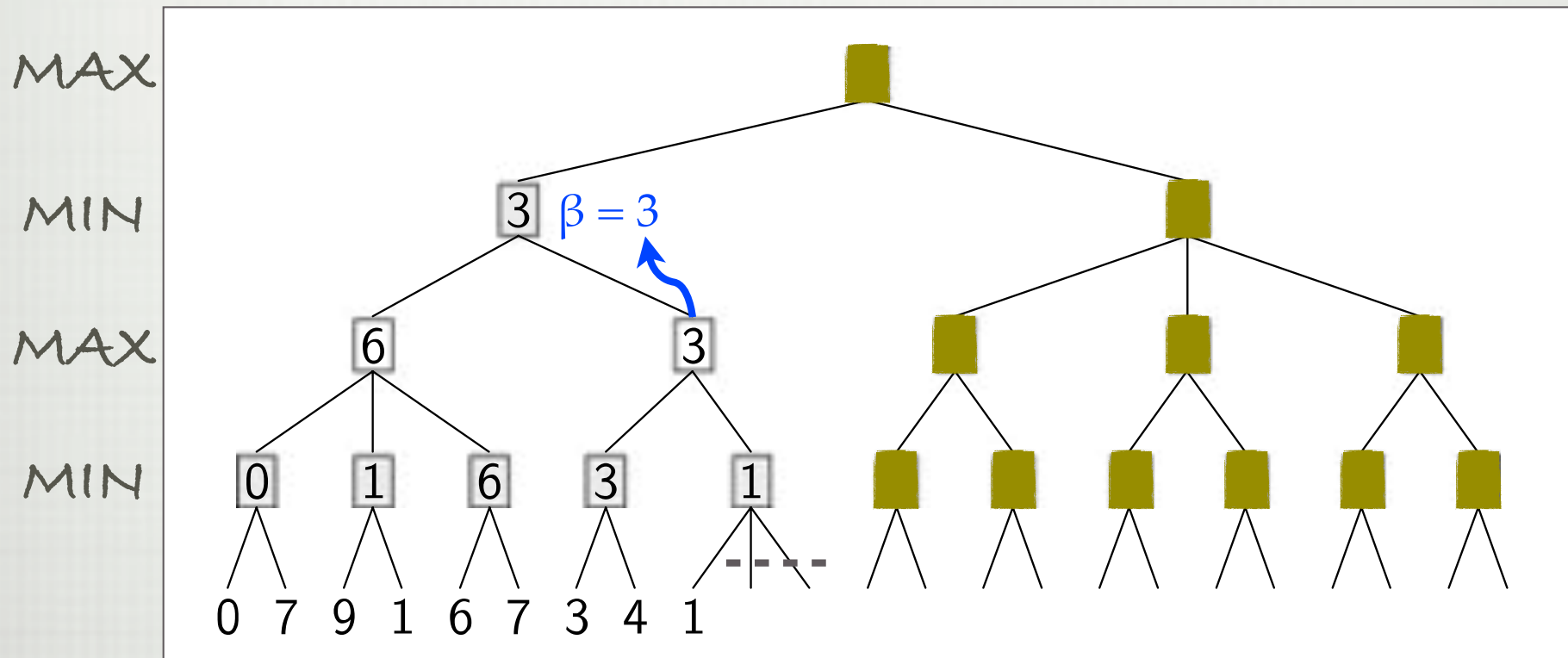
MIN

MAX

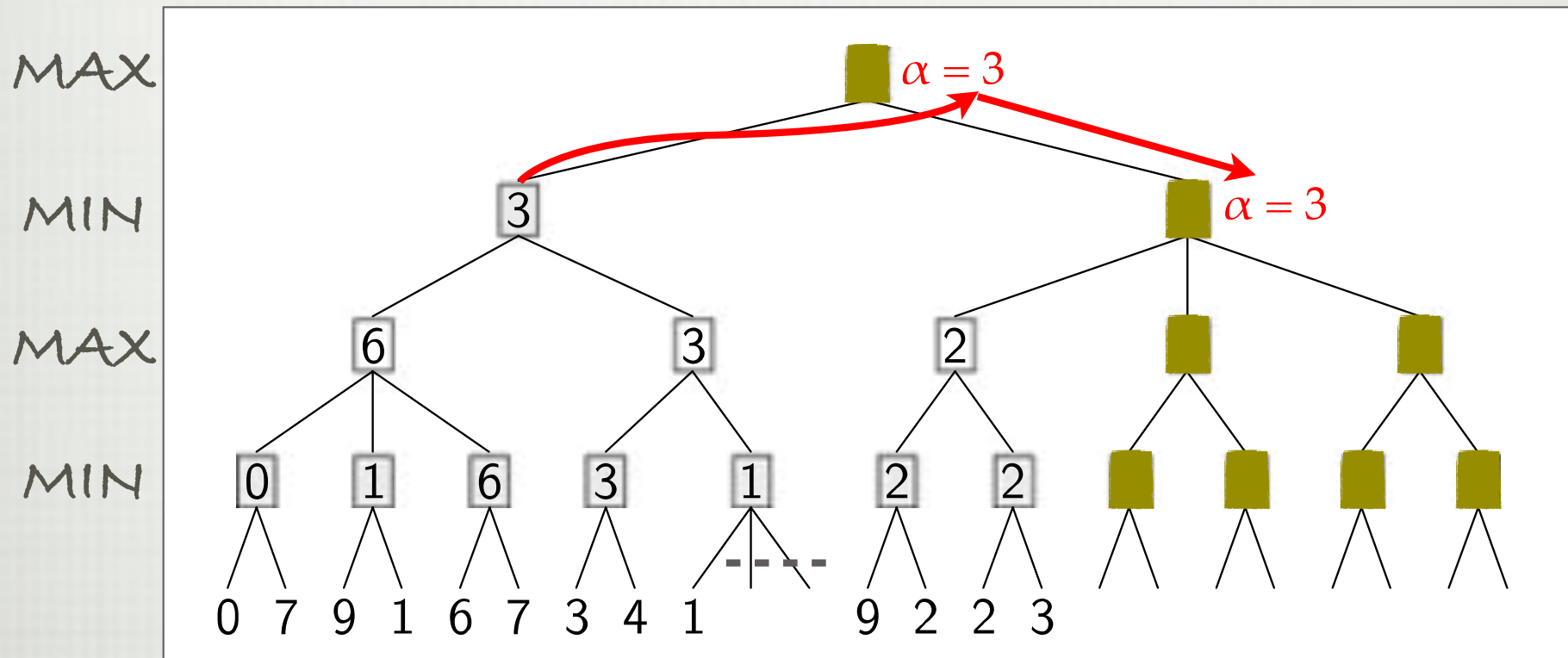
MIN



ALPHA-BETA-KARSINTA



ALPHA-BETA-KARSINTA

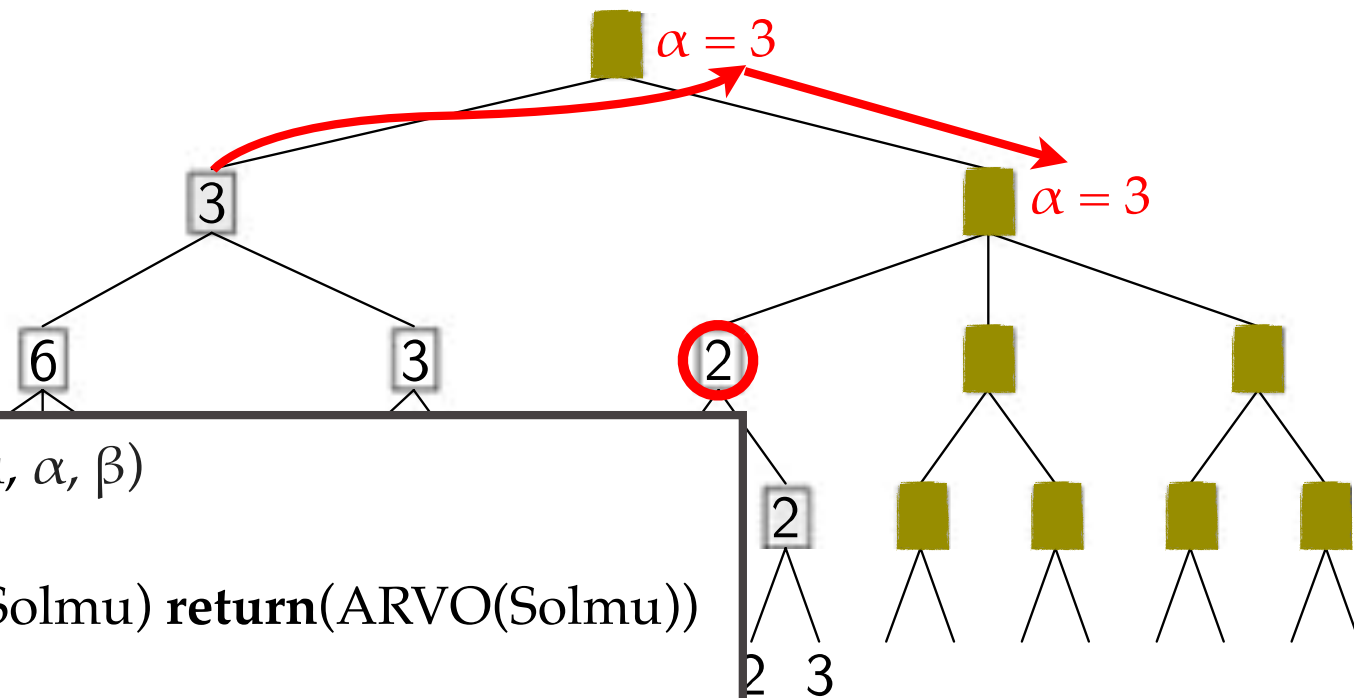


ALPHA-BETA-KARSINTA

MAX

MIN

MAX



MIN-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

$v = 2$

if $v \leq \alpha$ **return**(v)

$\beta = \text{MIN}(\beta, v)$

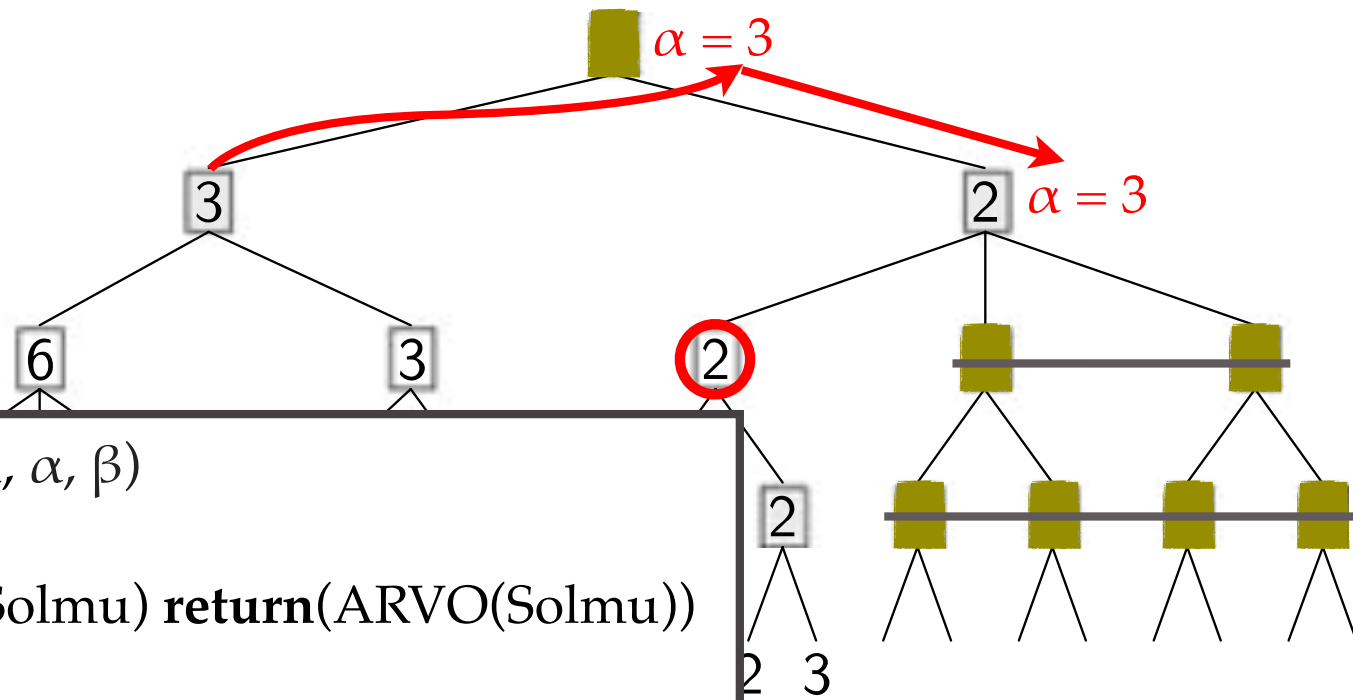
return(v)

ALPHA-BETA-KARSINTA

MAX

MIN

MAX



MIN-ARVO(Solmu, α , β)

if LOPPUTILA(Solmu) **return**(ARVO(Solmu))

$v = +\infty$

for each Lapsi in LAPSET(Solmu)

$v = 2$

if $2 \leq 3$ **return**(v)

$\beta = \text{MIN}(\beta, v)$

return(v)

