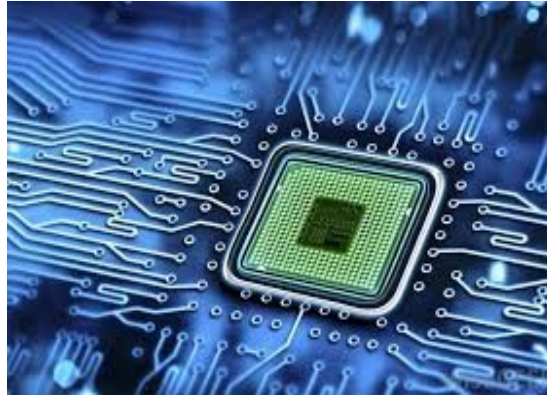


# Computational Cognitive Neuroscience

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# Computational Cognitive Neuroscience

- \*Computer vision,
- \*Pattern recognition,
- \*Classification,
- \*Picking the relevant information



# Computational Cognitive Neuroscience

- \*Computer vision,
- \*Pattern recognition,
- \*Classification,
- \*Picking the relevant information,
- \*Learning from data/  
from experience



- \*How information processing happens on the level of neurons?
- \*Is there basis in experimental neuroscience of learning and memory?
- \*What do the neurons react to?

# Computational Cognitive Neuroscience

- \*Computer vision,
- \*Pattern recognition,
- \*Classification,
- \*Picking the relevant information,
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- \*How does sensory data become perception?
- \*How does prior experience and knowledge influence Perception? (Subconscious inference)
- \*How are concepts and meanings grounded in sensory perception?

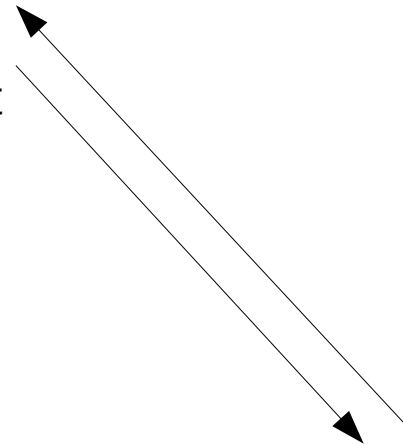
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# Computational Cognitive Neuroscience

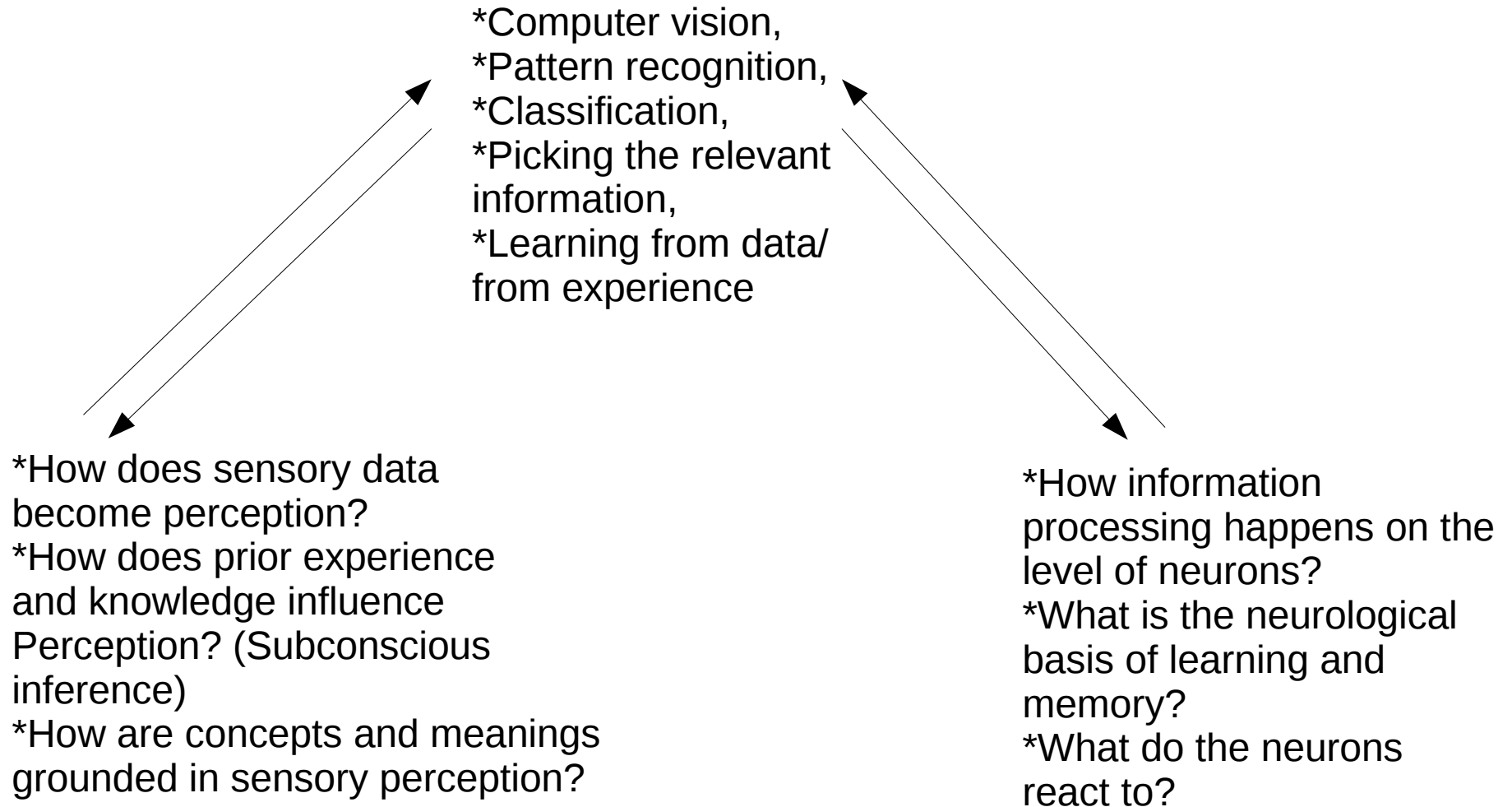
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# Computational Cognitive Neuroscience

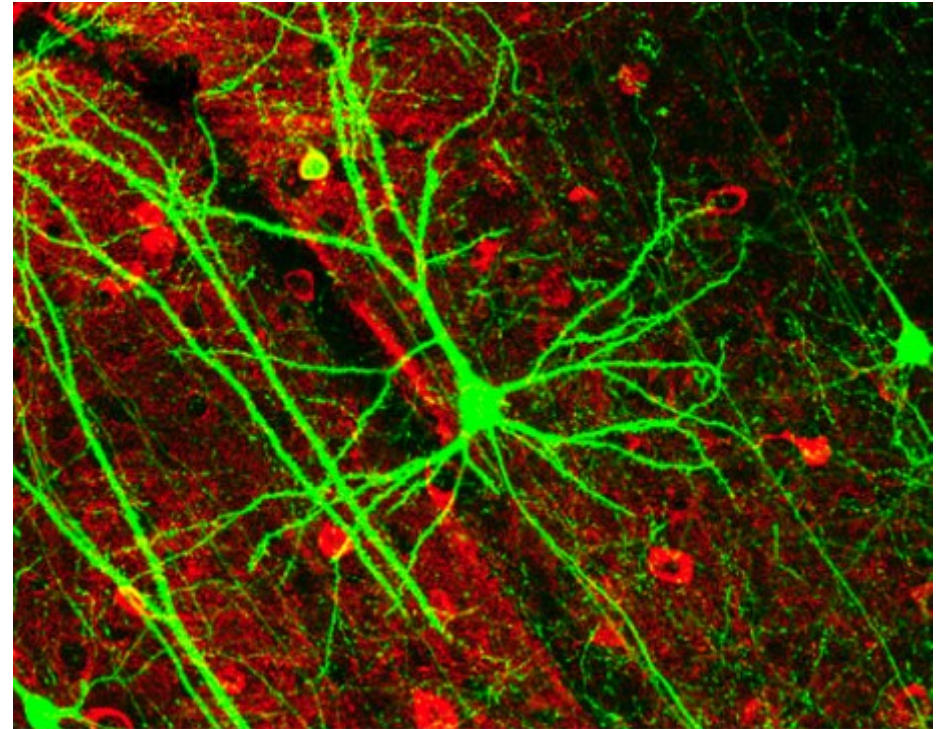


In this course we learn how neural networks and cognitive functions related to early vision can be modelled computationally with a focus on machine learning.



# Neurons: First in Biology

In 1899 Ramon y Cajal discovered that the brain tissue is composed of individual cells which form a network.



# Neuron Doctrine

The neuron is a basic structural and functional unit of the nervous system. Later adopted (in a sense) to cognitive science and artificial intelligence.

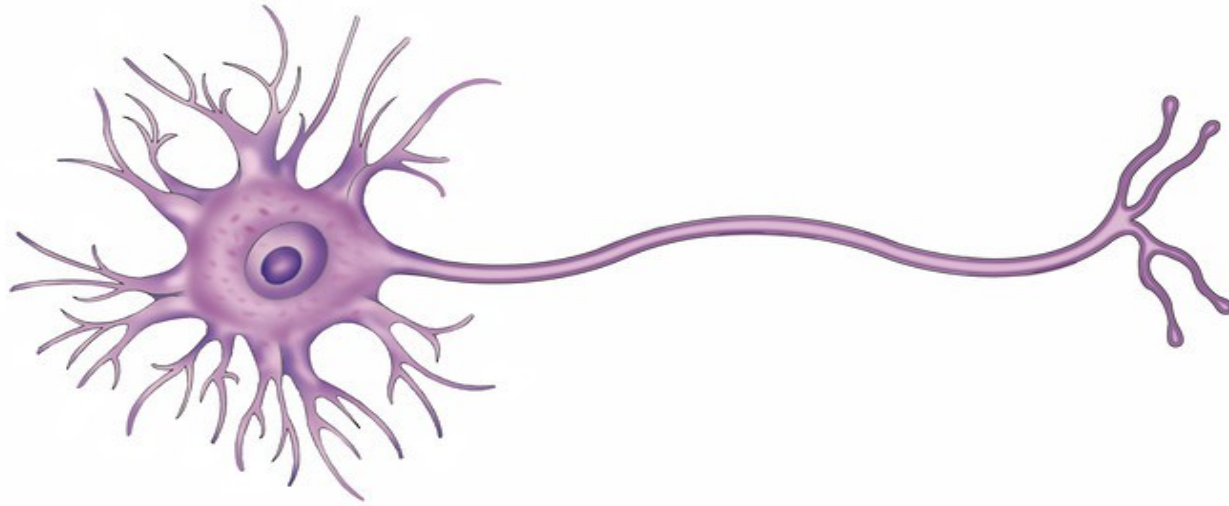
# Cognitive Science: Connectionism vs. Computationalism

- Computationalism: Mental processes (language comprehension, meaning extraction, inference) are understood through formal symbol manipulation and symbol covariation.
- Connectionism: Mental processes emerge from interconnections of computing units, gathering information from all possible sources in a dynamic and adaptive way.

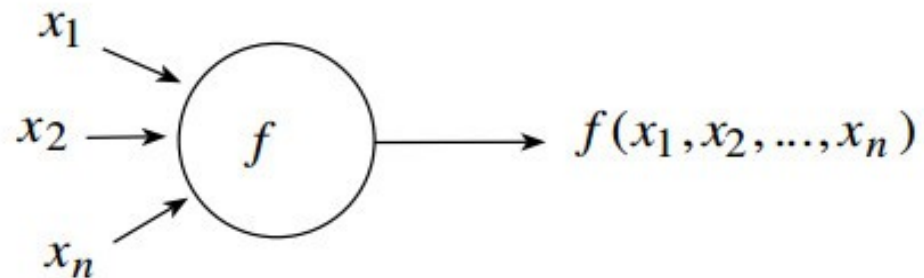
# Grounding problem: Why symbols are meaningful?

- Computational neuroscience provides a connectionist approach to symbol grounding.
- In some of the project topics algorithms for visual and multi-modal meaning extraction will be explored.

# Computational Neuroscience...

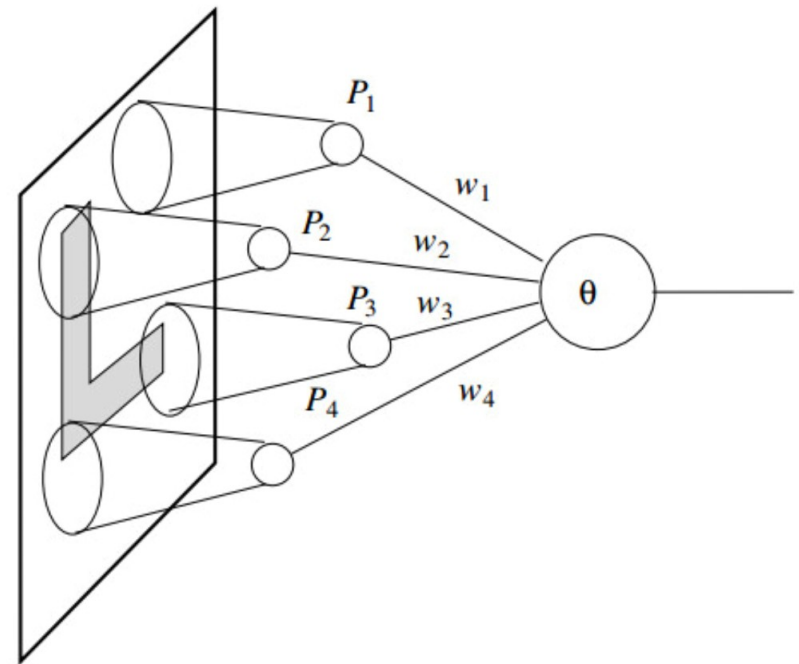


VS



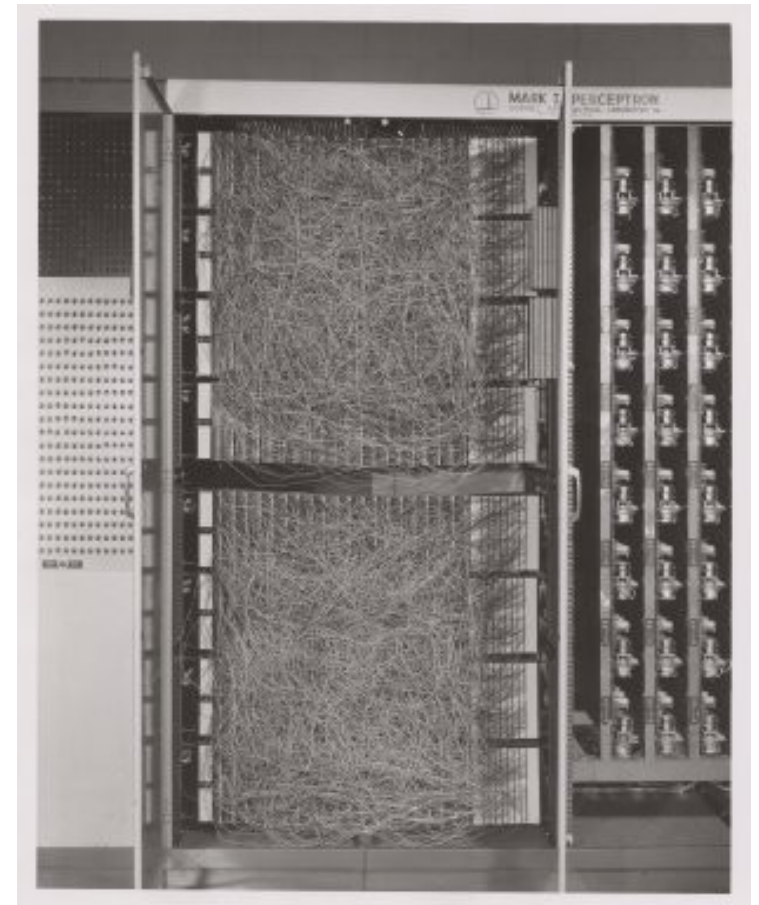
# Neurons in Computer Science

- A simple model developed by logicians, computer scientists, cognitive scientists and neuroscientists: McCulloch-Pitts units and Perceptron.
- Very simplistic compared to true neurons in which e.g. signal integration is highly non-linear.



# "The First" Perceptron

- Rosenblatt 1958.  
Perceptron designed to analyse 20x20 image patches.



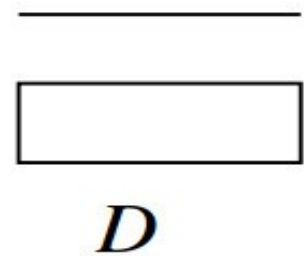
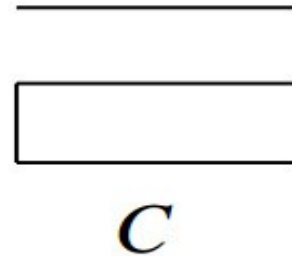
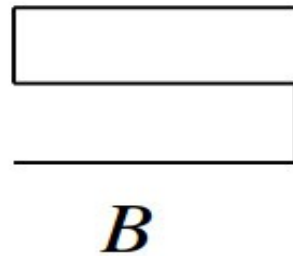
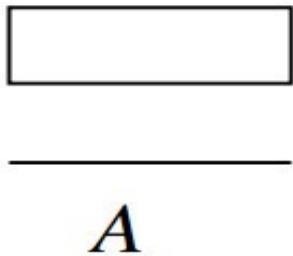
# New York Times

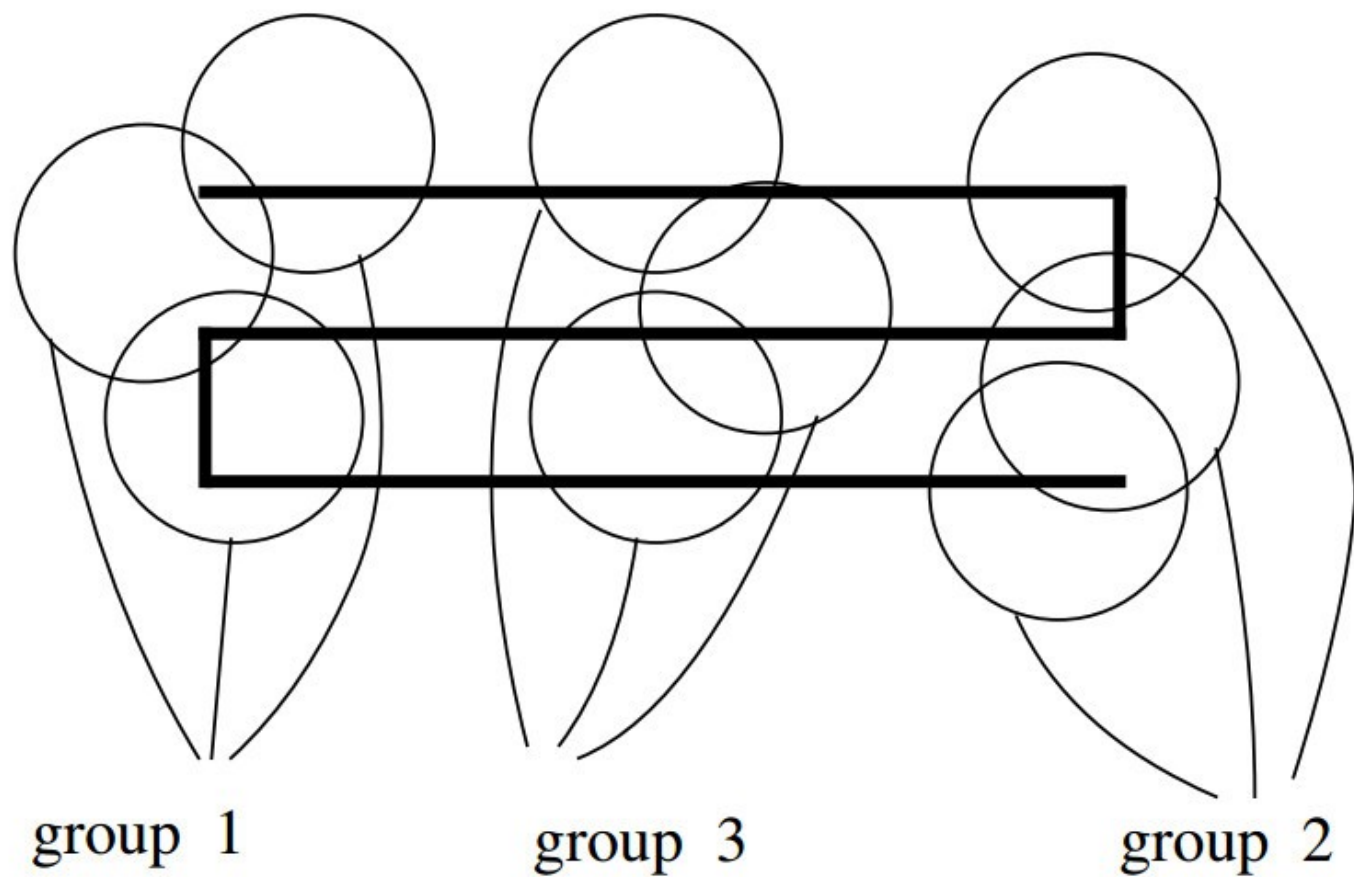
Rosenblatt's Perceptron is "the embryo of an electronic computer that [the Navy] expects will be able to walk, talk, see, write, reproduce itself and be conscious of its existence."



# Not so fast...

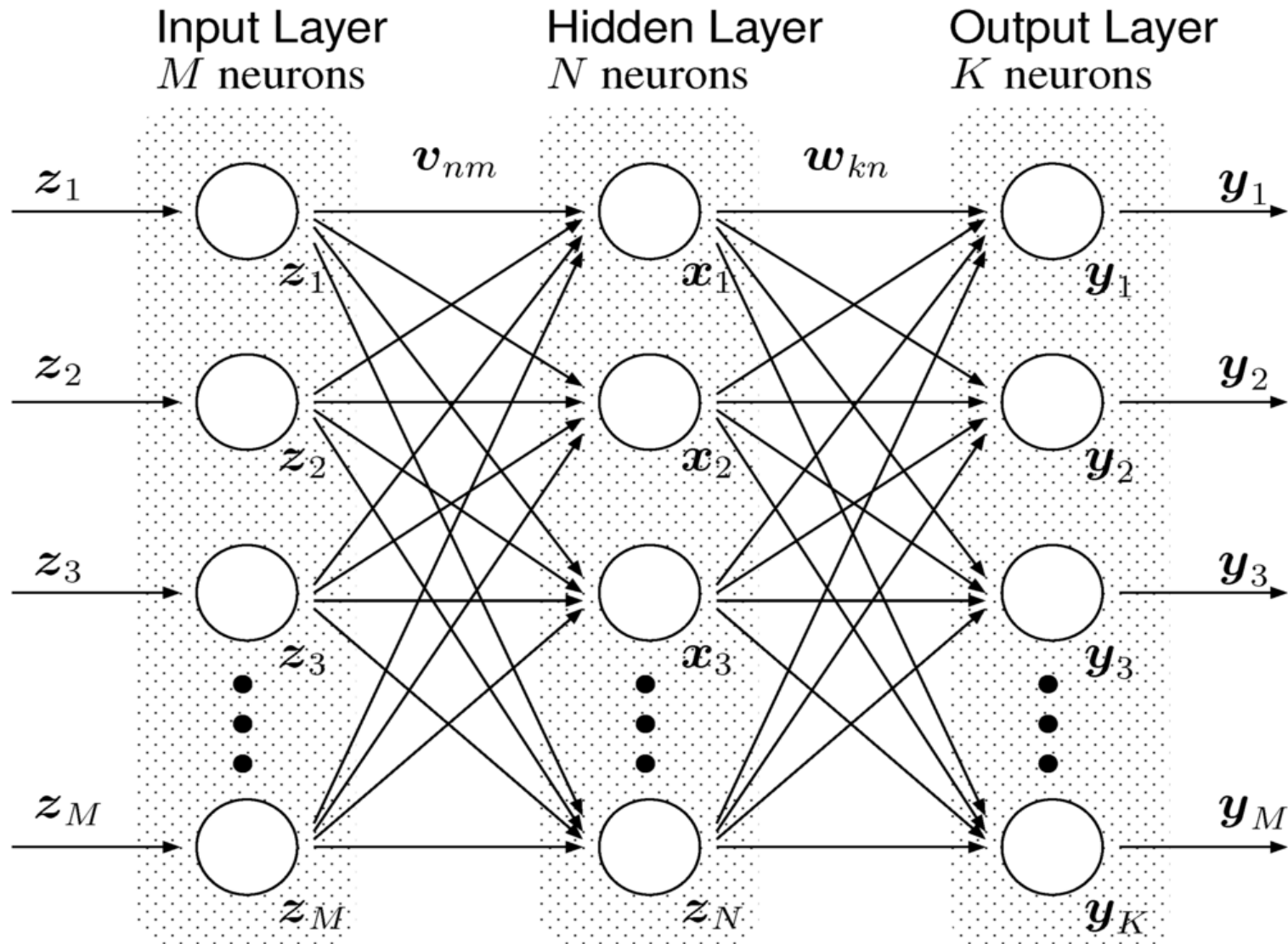
(Minsky, Papert 1969) A perceptron cannot distinguish connected from disconnected





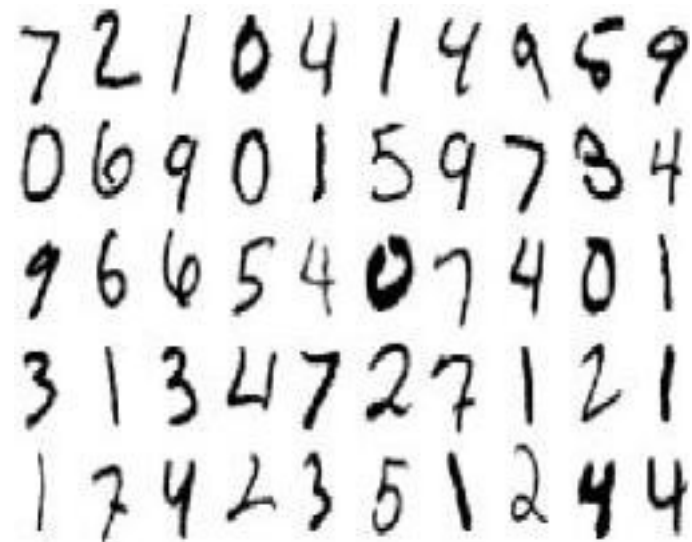
$$\sum_{i=1}^n w_i P_i \geq \theta$$

# Multilayer Perceptron



# Multilayer Perceptron

- For example, one of the project works for this course is to implement a 2-layer perceptron which learns to read hand-written digits



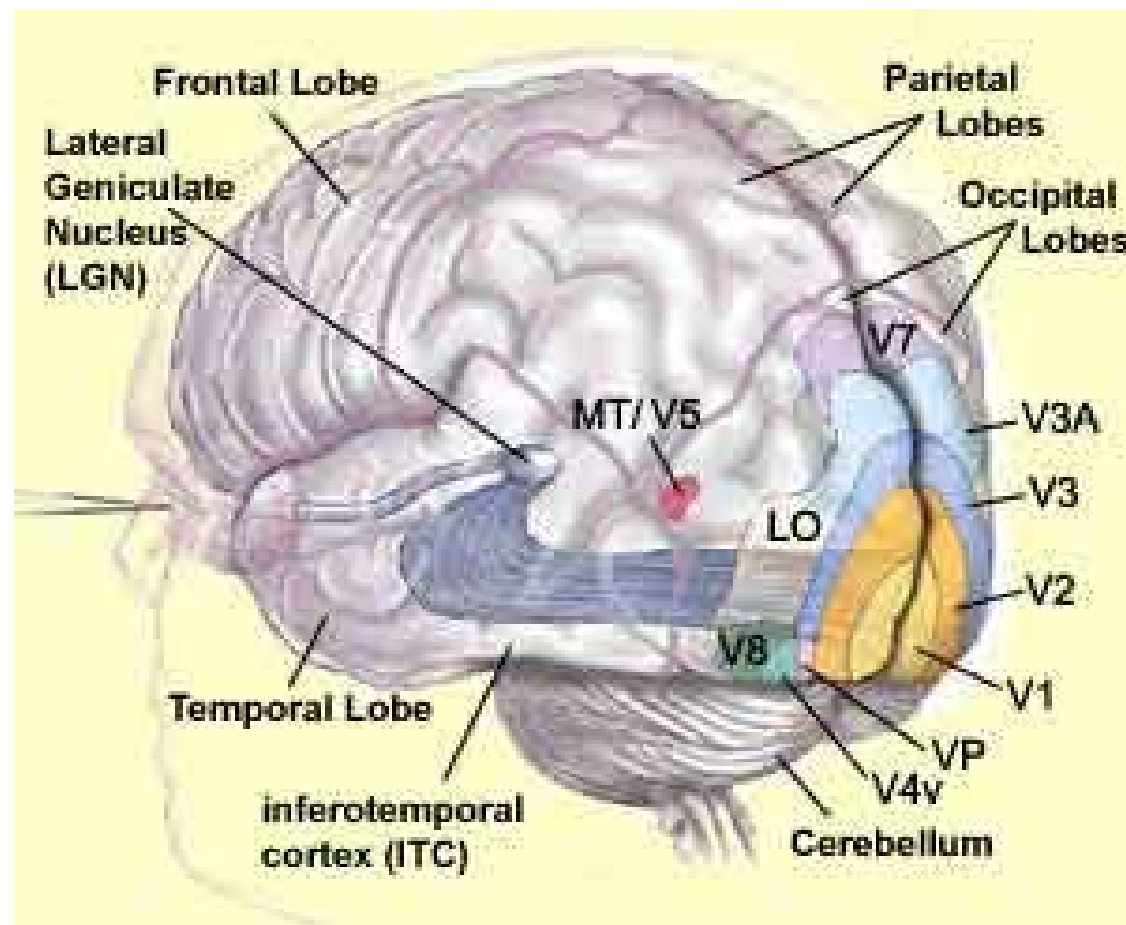
A 5x10 grid of handwritten digits, likely from the MNIST dataset. The digits are arranged in five rows and ten columns. The first row contains: 7, 2, 1, 0, 4, 1, 4, 9, 5, 9. The second row contains: 0, 6, 9, 0, 1, 5, 9, 7, 3, 4. The third row contains: 9, 6, 6, 5, 4, 0, 7, 4, 0, 1. The fourth row contains: 3, 1, 3, 4, 7, 2, 7, 1, 2, 1. The fifth row contains: 1, 7, 4, 2, 3, 5, 1, 2, 4, 4.

7	2	1	0	4	1	4	9	5	9
0	6	9	0	1	5	9	7	3	4
9	6	6	5	4	0	7	4	0	1
3	1	3	4	7	2	7	1	2	1
1	7	4	2	3	5	1	2	4	4

# Deep learning

- Deep learning is not part of this course. However, there is a possibility to explore in one of the project works. The basic idea is to use many layered networks to code for increasingly abstract features.
- <https://www.youtube.com/watch?v=SCE-QeDfXtA>

# Has basis in neuroscience...

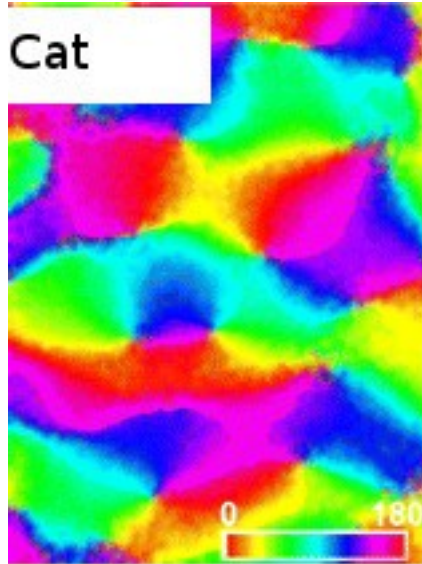


# Early visual cortex

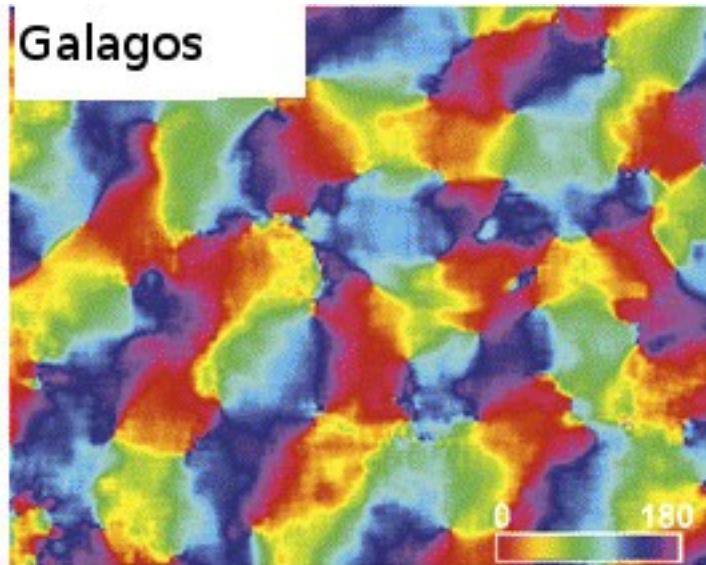
- <https://www.youtube.com/watch?v=Cw5PKV9Rj3o>



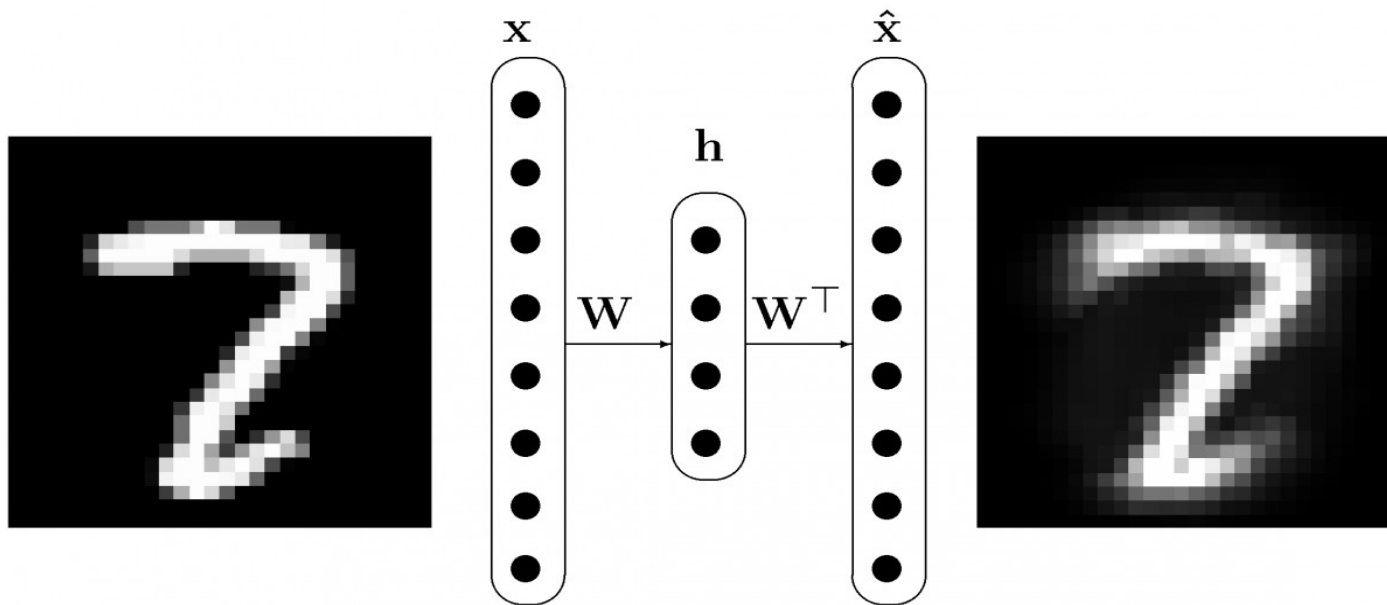
Cat



Galagos

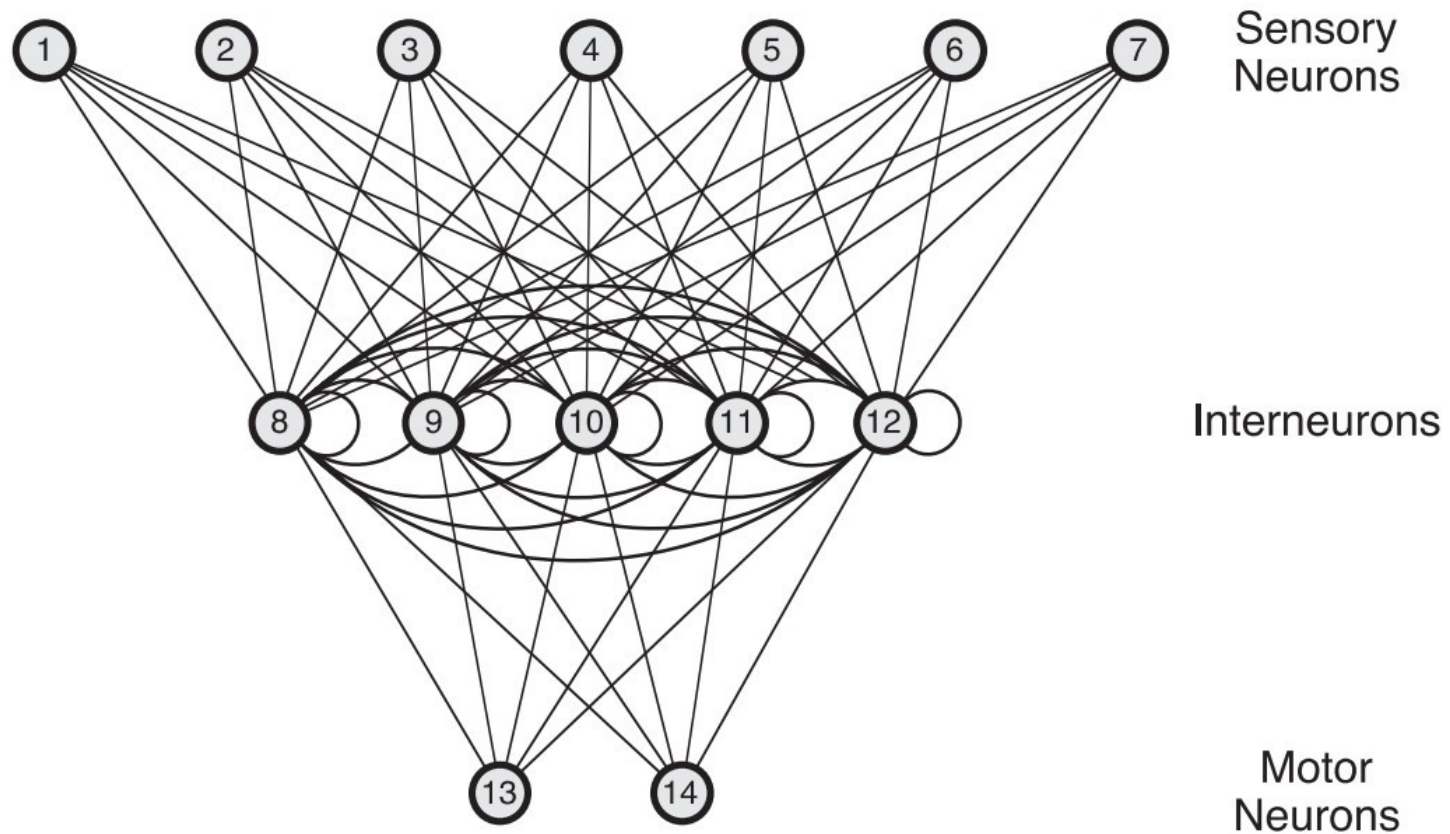


# Another example: Autoencoder

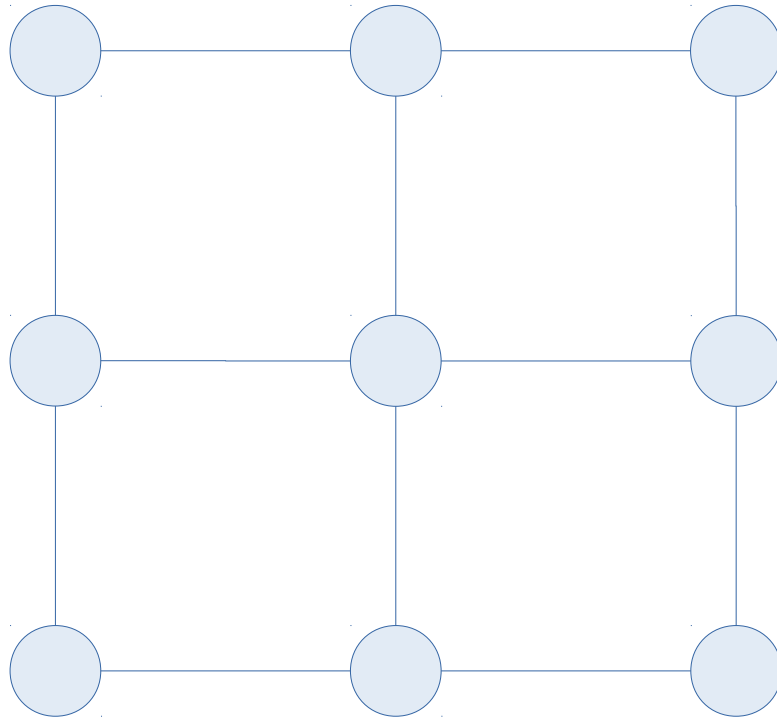




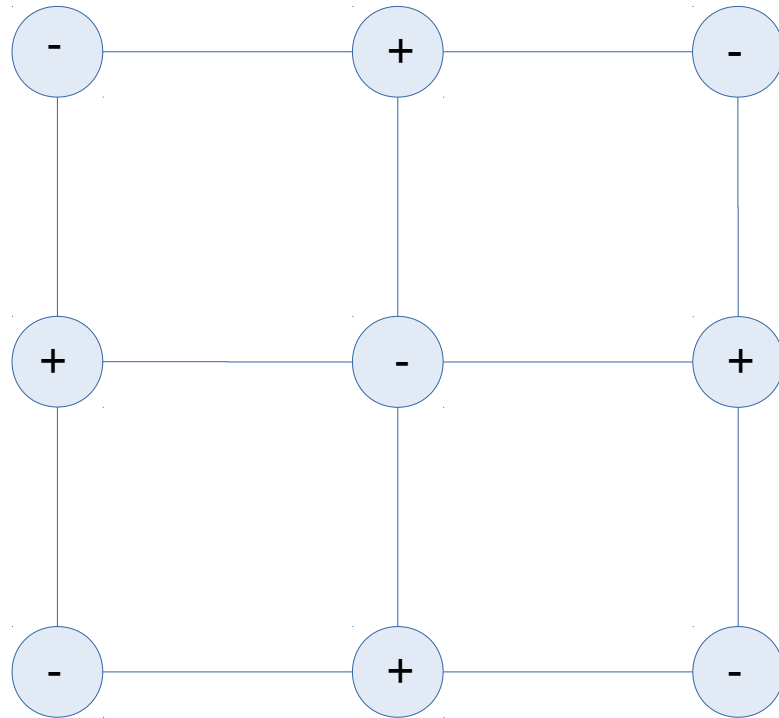
# Recurrent Neural Networks



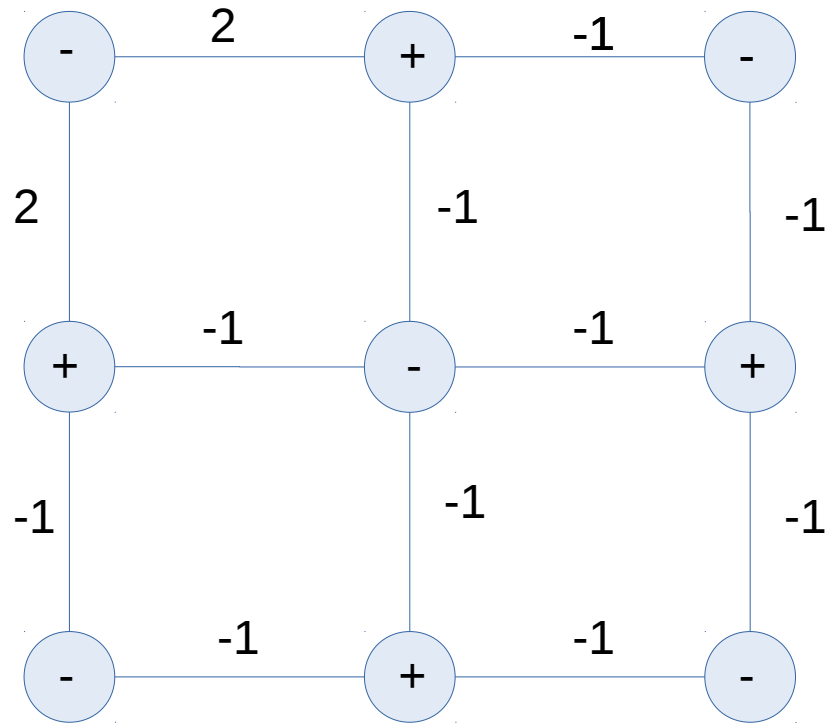
# Hopfield Networks



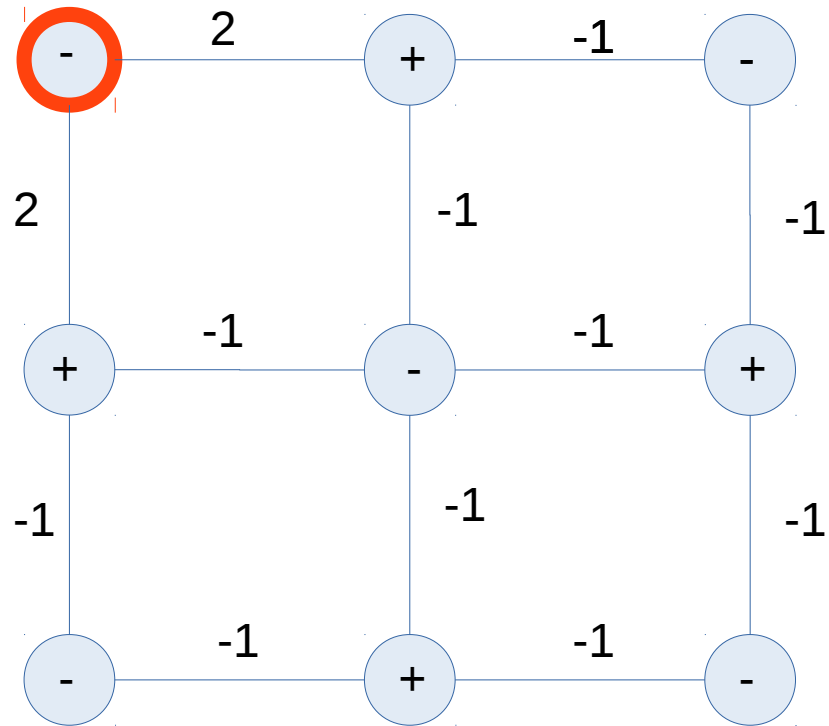
# Hopfield Networks



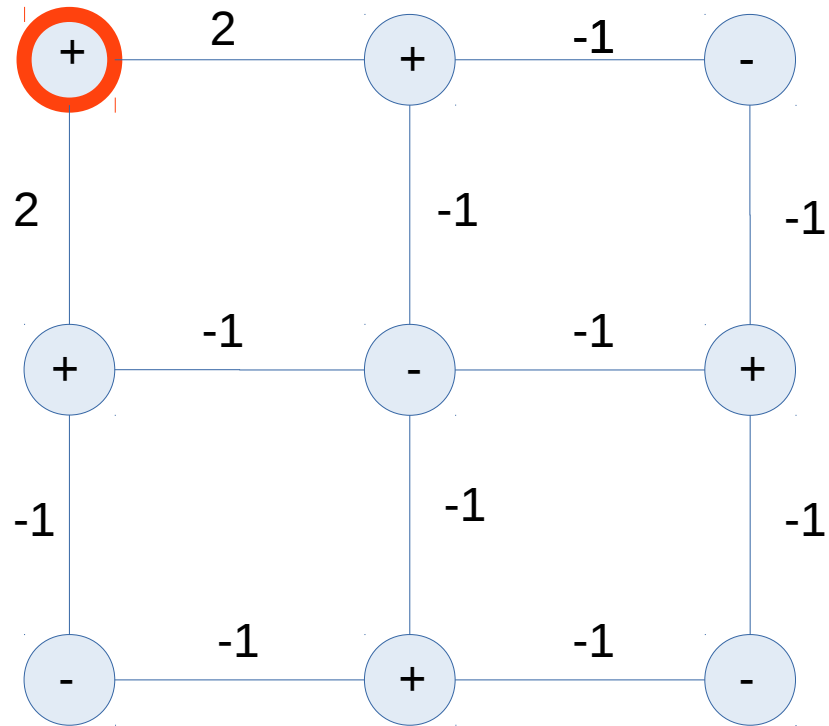
# Hopfield Networks



# Hopfield Networks



# Hopfield Networks



# Learning

- A neural network is useless if it is incapable of learning. Otherwise there are too many parameters to be programmed (or to be innate in an organism).
- Main focus of the course.
- **Supervised**
  - Perceptron, Back-propagation
- **Unsupervised**
  - Hebb (Hopfield), Associative, PCA, ICA
- **Reinforcement**
  - Evolution algorithms

EXAMPLES



# Unsupervised: Hebbian Learning

- Hebb 1949: If a neuron A participates in exciting a neuron B towards firing, then the connection from A to B becomes stronger.
- (Keysers, Gazzola 2014) One way to explain mirror neurons is by referring to Hebbian learning.
- Adoption to ANN's: Correlation in firing increases the weight. Less realistic, but easier to deal with computationally.

# Supervised: Backpropagation

- The algorithm is presented with a dataset of inputs and expected outputs. The learning algorithm tries to minimize the error by adjusting weights of the network. Gradient descent.
- Often used to train multilayer perceptrons, autoencoders.

# Reinforcement learning

## (Probably not in this course)

- Evolutionary learning. The algorithm tries to maximize "fitness". Example:

Research in Netherlands:

<https://www.youtube.com/watch?v=pgaEE27nsQw>

# Computational Cognitive Neuroscience: Vision modelling

Introduction to 2<sup>nd</sup> half

19<sup>th</sup> Jan 2015

Aapo Hyvärinen

# Paradoxes in vision

Vision seems

- effortless
- straightforward
- objective

# Paradoxes in vision

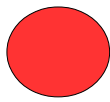
Vision seems

- effortless
- straightforward
- objective

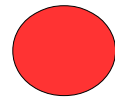
In reality

- it cannot be easily programmed in a computer
- it seems to require complicated processing
- it can be fooled

# Example: Illusory motion

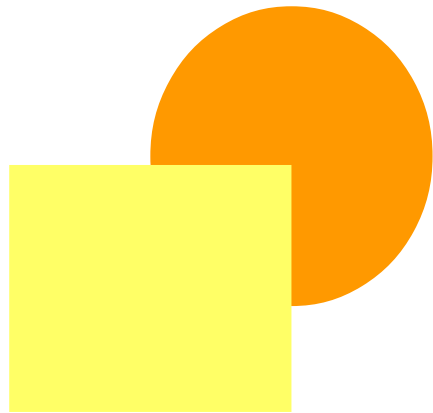


# Example: Illusory motion

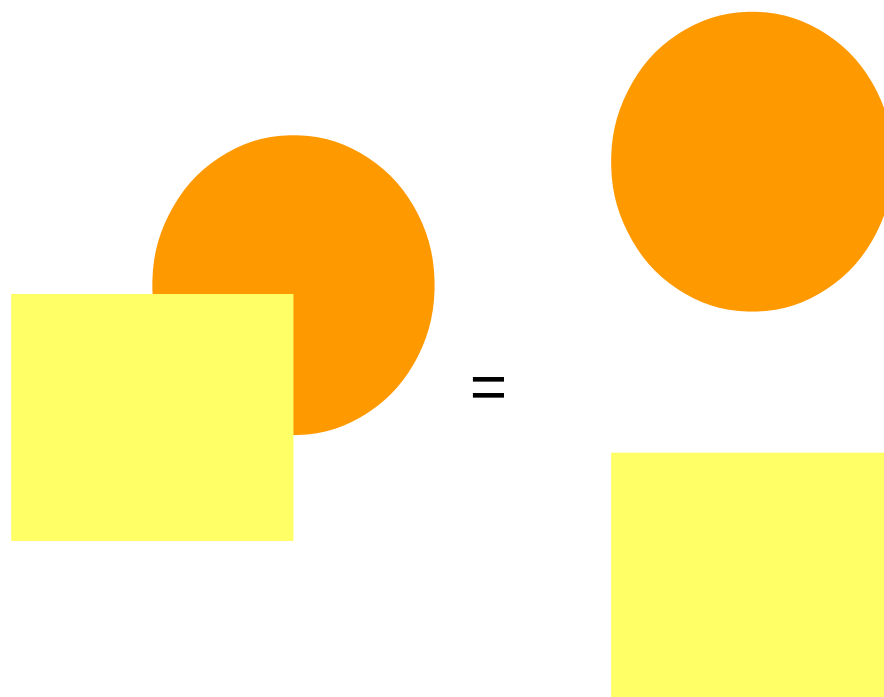




# Example 2: completion

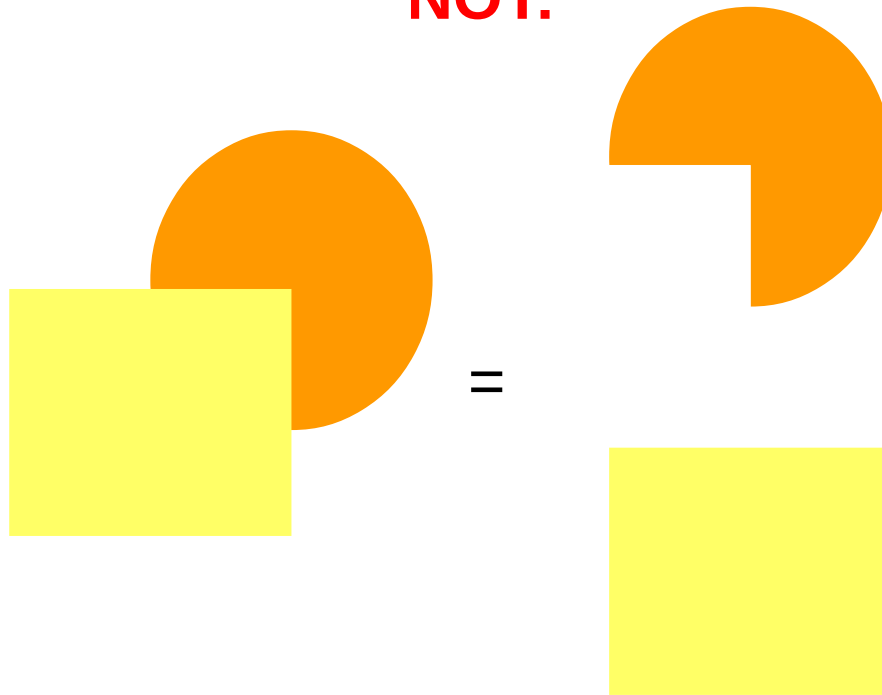


## Example 2: completion

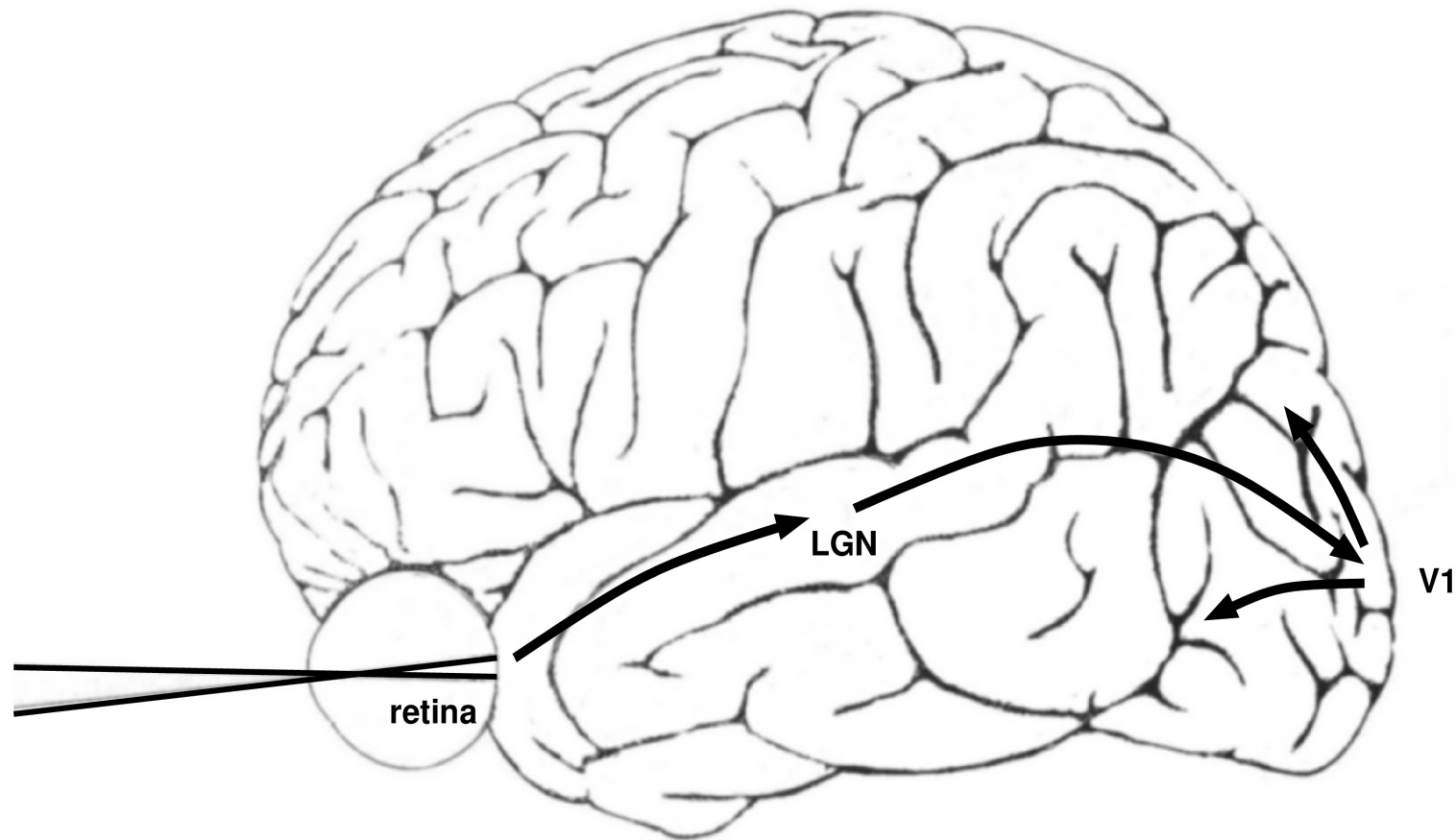


## Example 2: completion

**NOT:**

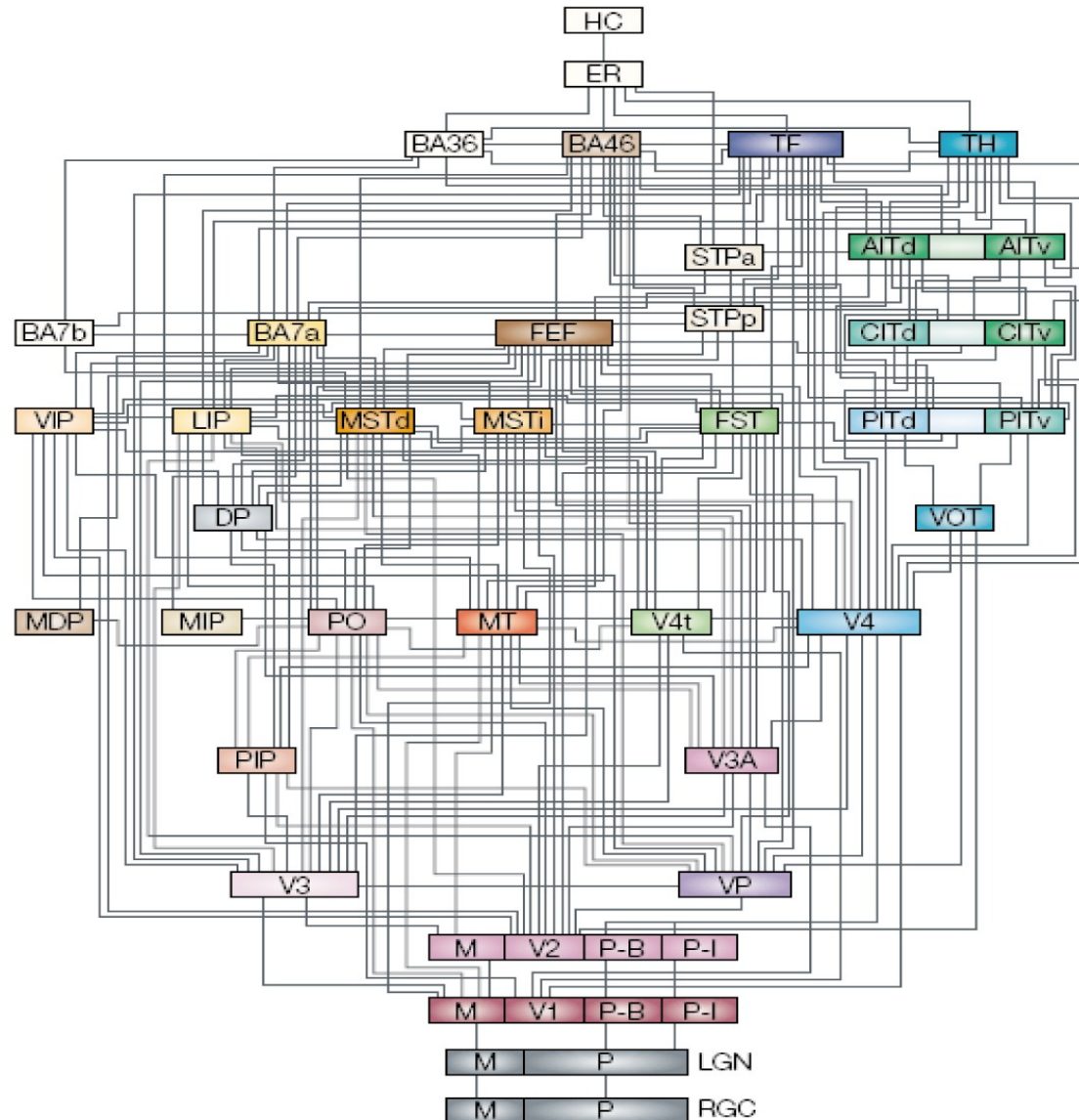


# Visual system in the brain



V1 = primary visual cortex  
Cortex = surface part of the brain  
Brain = see figure

# Visual system in the brain (2)



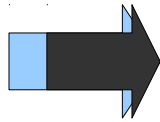
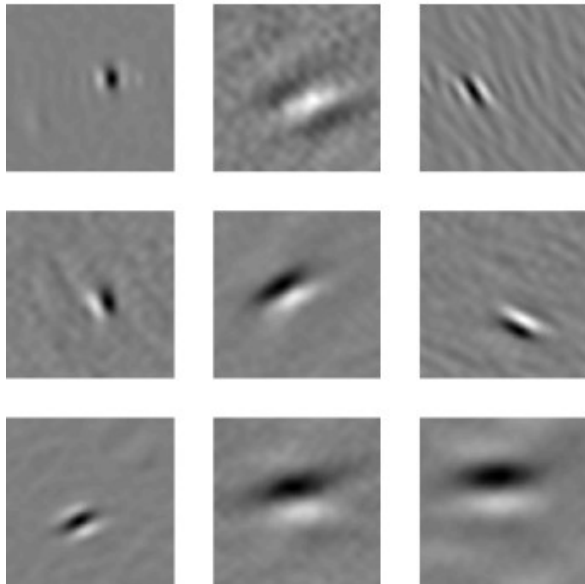
# WHAT???

# Why do we want to model the brain 1: the "What" question

What is really happening in the brain?

Quantitative description

Features coded by neurons  
in the primary visual cortex



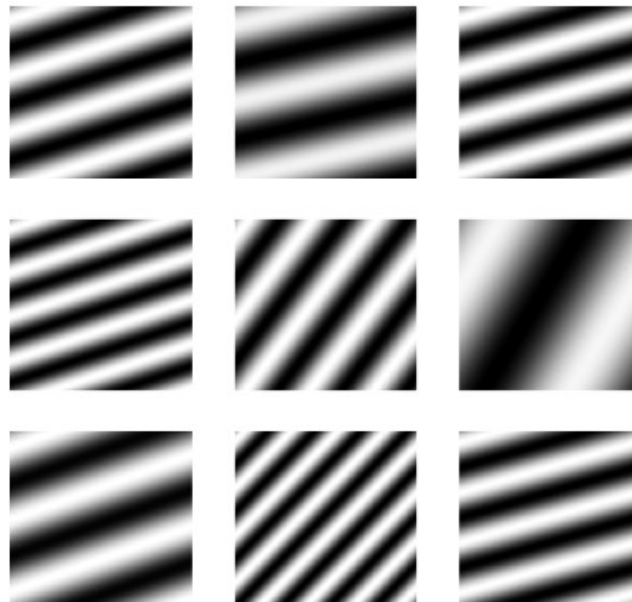
$$\begin{aligned} & \exp(-\alpha^2(x-x_0)^2) \cos(2\pi\beta(x-x_0) + \gamma) \\ & \exp(-\alpha^2(x-x_0)^2) \sin(2\pi\beta(x-x_0) + \gamma) \end{aligned}$$

# Fourier analysis

- Describe a function as a sum of oscillations

1D: 
$$f(x) = a_0 + \sum_{k \geq 1} a_k \cos(kx) + b_k \sin(kx)$$

2D:



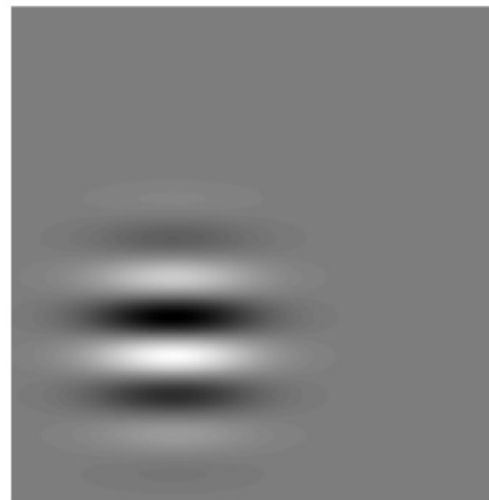
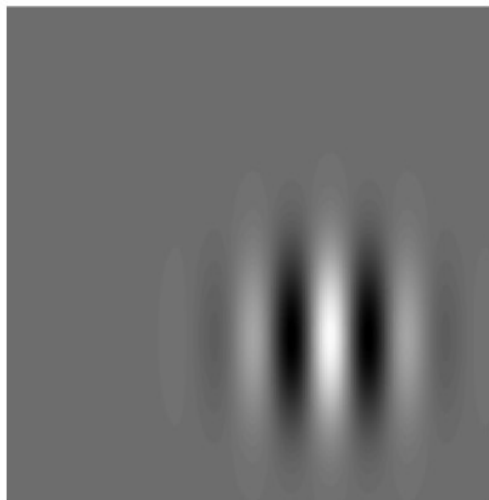
# Gabor analysis

- Multiply oscillations by a windowing function

1D:

$$\exp(-\alpha^2(x-x_0)^2) \cos(2\pi\beta(x-x_0) + \gamma)$$
$$\exp(-\alpha^2(x-x_0)^2) \sin(2\pi\beta(x-x_0) + \gamma)$$

2D:





# Why do we want to model the brain 2: Applications

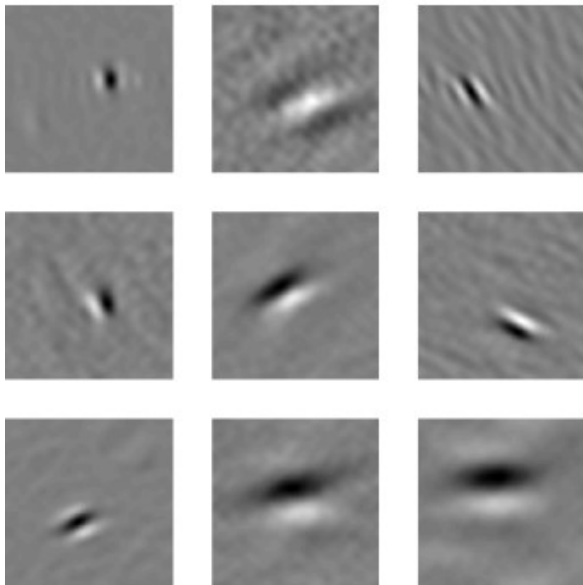
Apply the same computations in machine vision



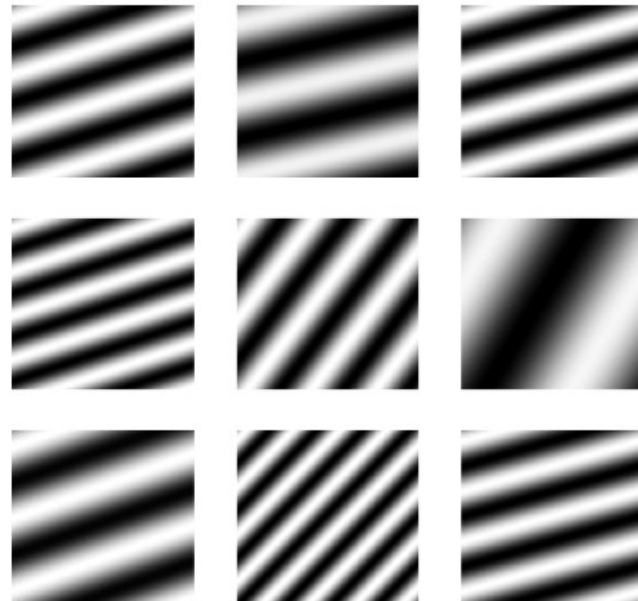
# Why do we want to model the brain 3: the "Why" question

What are the computational goals of the brain?

Normative modelling: Given a computational goal, what should the brain be doing?



Vs.



Two possible feature sets used in image analysis

# Vision as learning and inference

## **Constructivism:**

Perception is **unconscious inference**

Combine

- a) Hidden assumptions (priors), e.g. internal models
- b) Incoming sensory information

... in order to reach conclusions about the environment. (Helmholtz, late 19th century)

Formalized as Bayesian inference

Priors need to be learned

# Bayesian inference

Basic formalism for combining prior information with incomplete observations

Assume we want to know the variable  $s$  (state of world) but only observe  $x$  (sensory input)

Bayes' formula:  $p(s|x) = p(x|s)p(s)/p(x)$

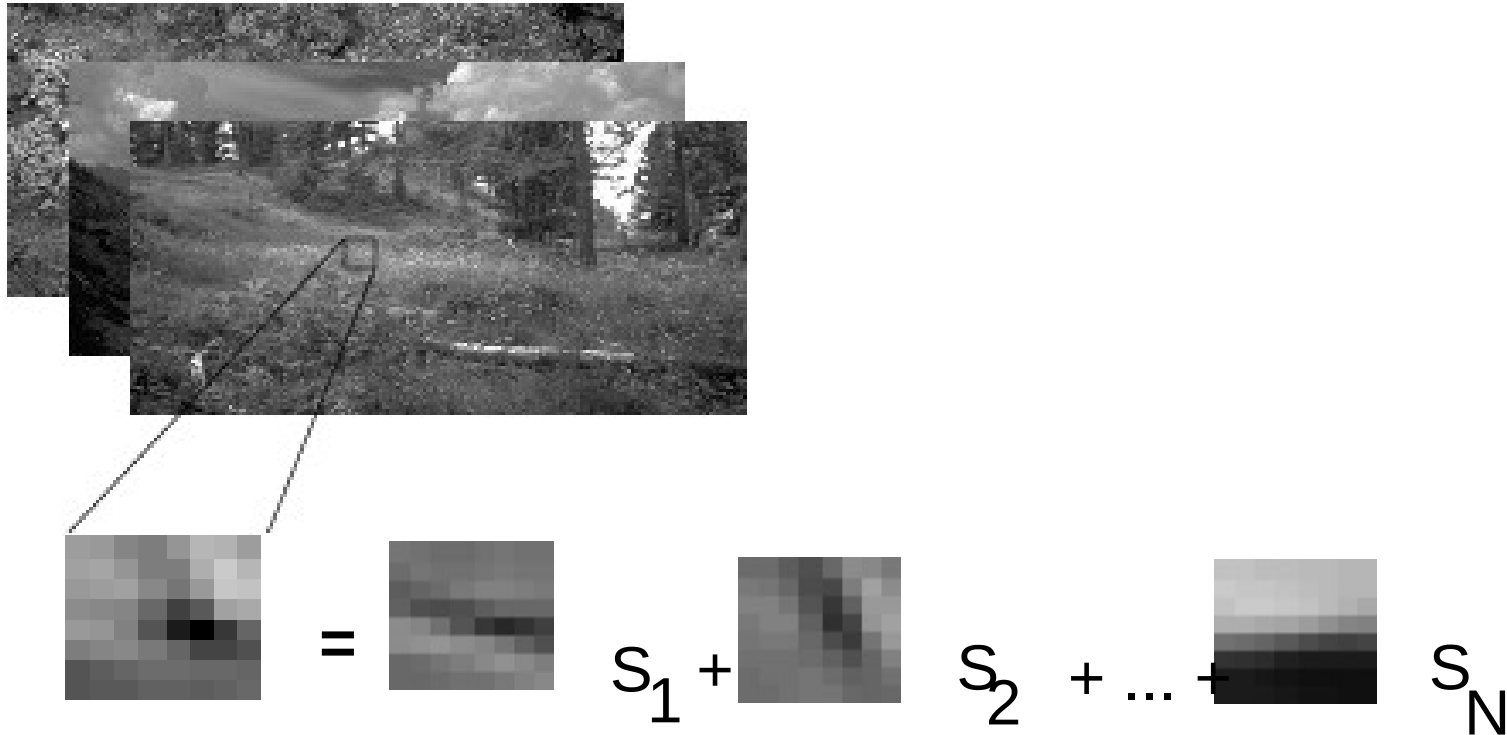
$p(x|s)$  says how the state of the world produces sensory input

$p(s)$  is the prior distribution:

our knowledge of the structure of the world

( $p(x)$  is not important)

# Linear models of natural images



Learn best linear features for natural images

(Related viewpoint:)

# Statistical-ecological approach to modelling/learning visual features

Ecology: What is important in a real environment?

Consider natural images instead of some theoretical class

Statistics: Natural images have statistical regularities

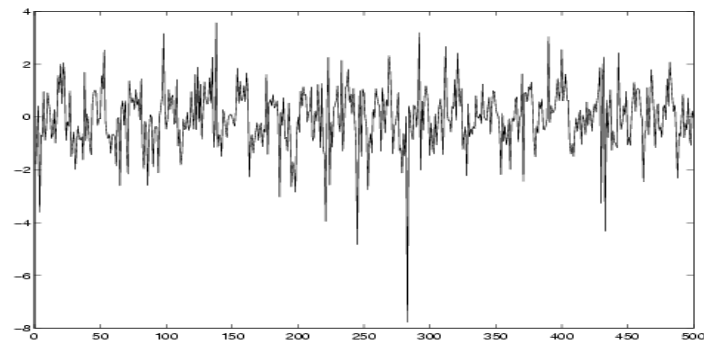
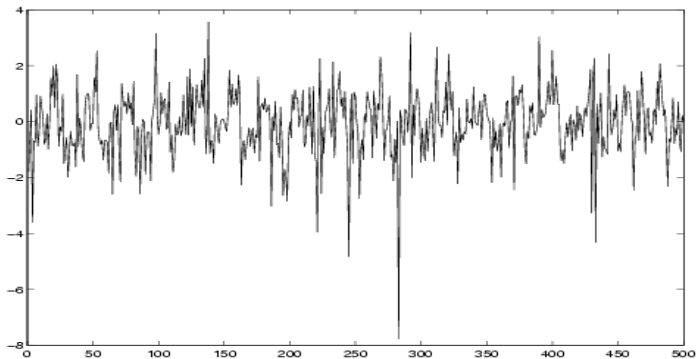
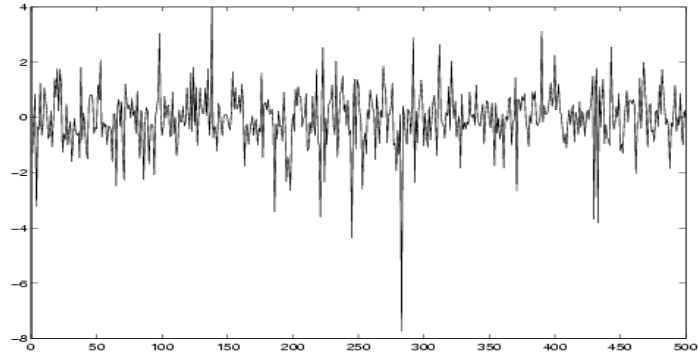
Logic:

different set of features are good for different kinds of data  
visual cortex uses/learns features which are good for natural  
images

this enables optimal statistical signal processing and  
inference

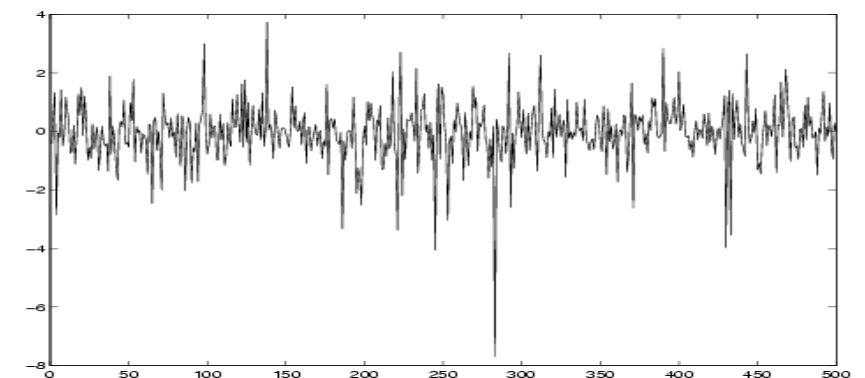
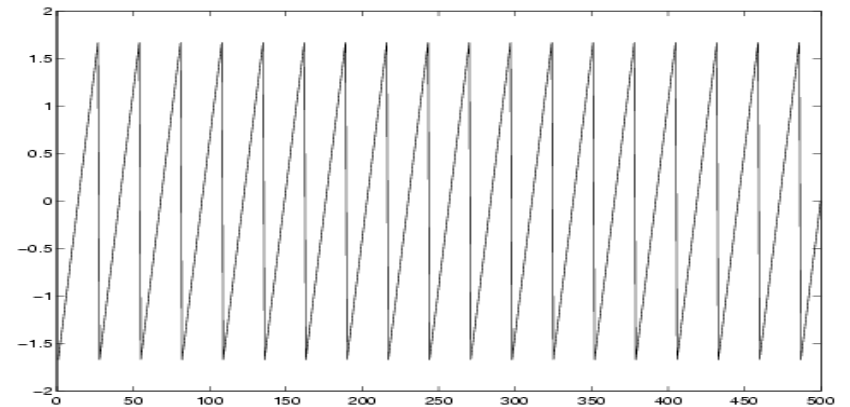
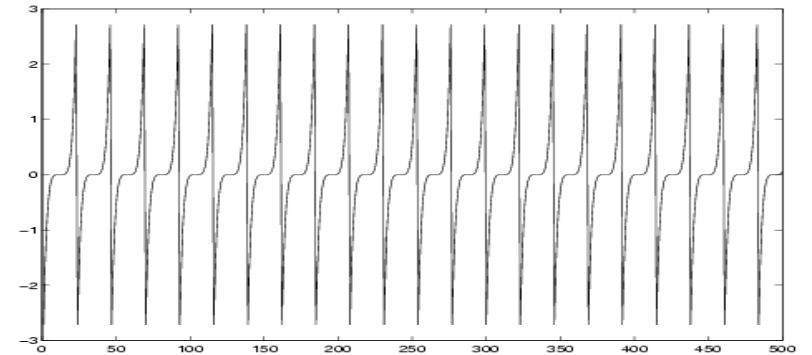
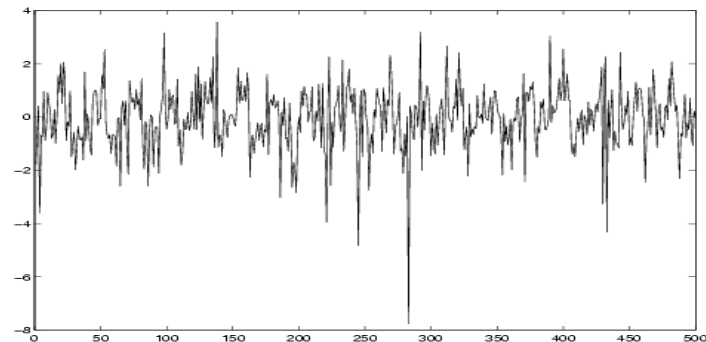
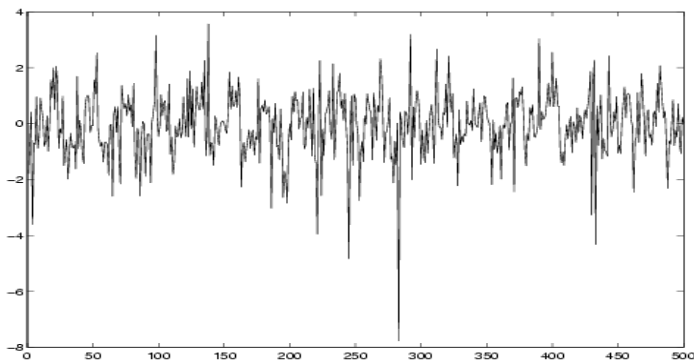
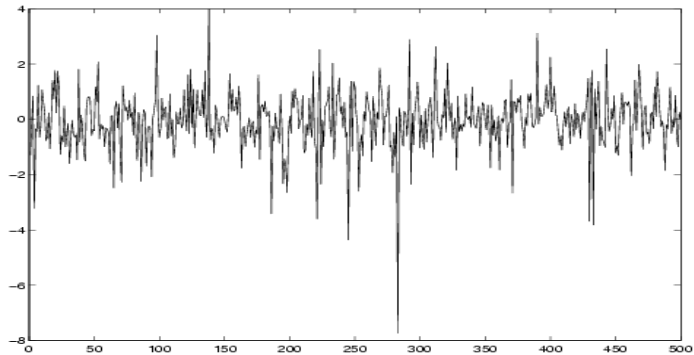
features embody the prior knowledge on the environment

# Example: Independent component analysis



Linear mixtures of source signals:  
can we find the original ones?

# Example: Independent component analysis



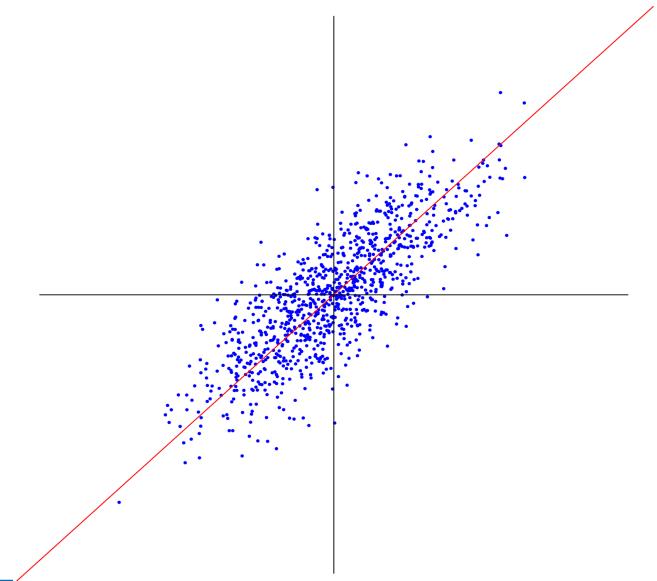


# Independent Component Analysis

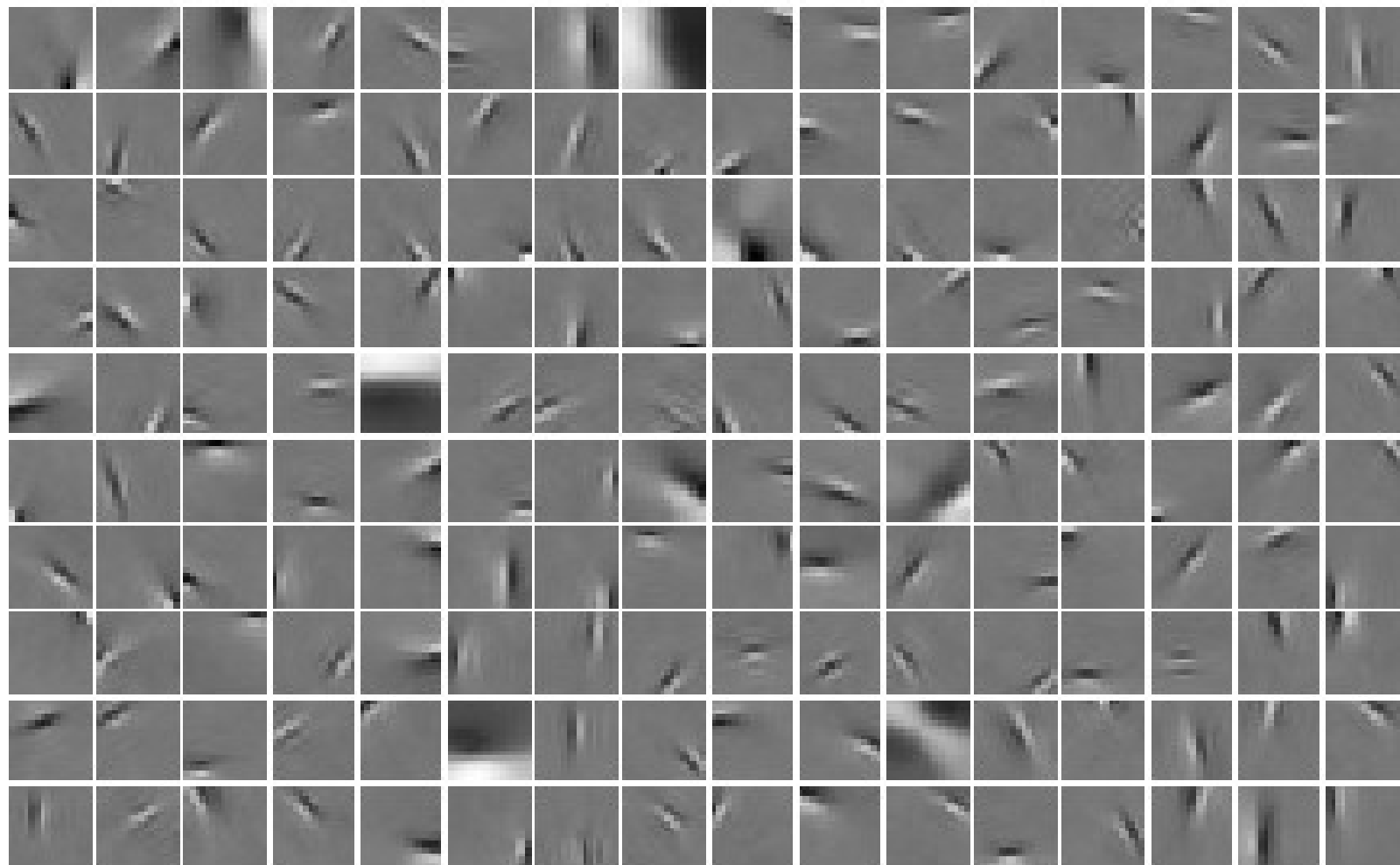
- Assume data is a linear superposition of independent “sources”:  $x_i = \sum_j a_{ij} s_j$
- Independent components are hopefully interesting in themselves, correspond to data generating process
- Must assume data is non-Gaussian, which makes it very different from PCA and factor analysis.

# Principal component analysis & factor analysis

- Find projections / subspaces of data which have maximal variance (PCA) or explain most of the variance (FA)
- Main goal: Dimension reduction for
  - visualization
  - noise reduction
- Based on covariances



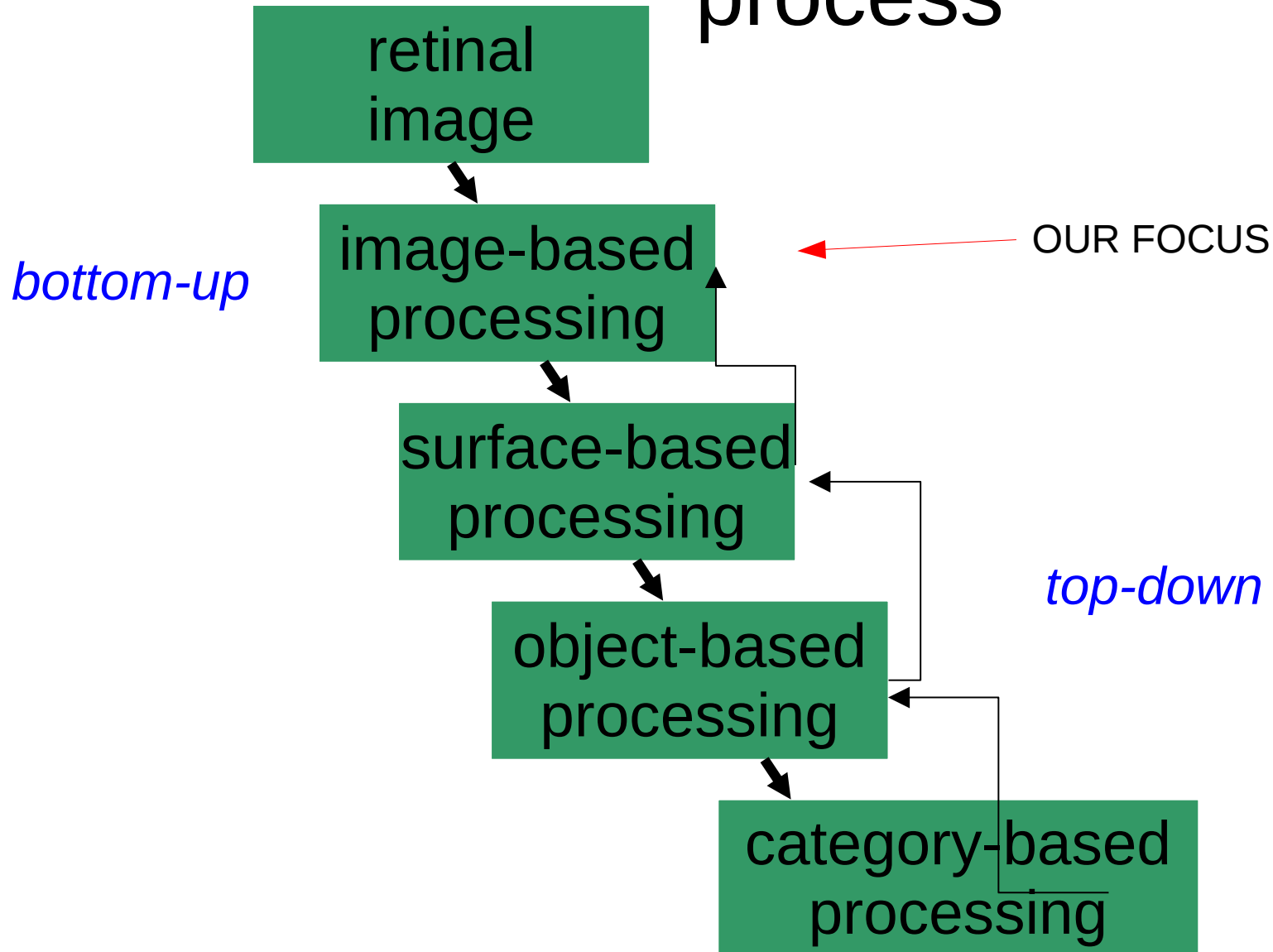
# Independent component analysis of natural images



Low-level statistical prior

Similar to what is found in simple cells in primary visual cortex

# Note: Perception is a long process



# Outline of latter half of course

Background in Fourier analysis

Basic descriptive models of visual features

Gabor analysis

Statistical models of natural images:

principal component analysis

sparse coding

independent component analysis

(Probably some further stuff TBA)