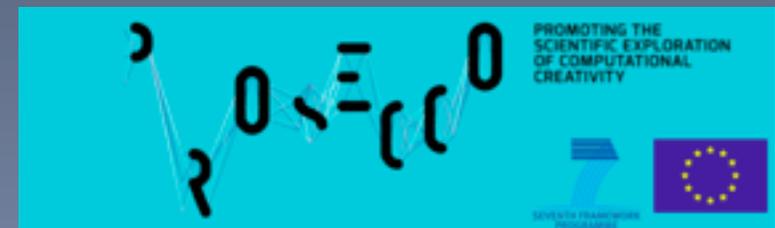


# Lecture 1: Characterising Computational Creativity

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- Lecture 1: Computational Creativity
  - ◉ What is it?
  - ◉ How can we do it?
  - ◉ How can we study it?
  - ◉ A Framework for Studying Creativity
  - ◉ Examples (from musical CC)

- Lecture 2 (double): Cognitive Modelling of Musical Creativity
  - ◉ How can we begin to study music(al creativity) in an objective way?
  - ◉ The case for music as a psychological construct
  - ◉ The idea of Cognitive Modelling
  - ◉ Statistical Models, which come in (at least) two flavours
  - ◉ Implicit musical learning and a statistical model thereof
  - ◉ How cognitive modelling can contribute to music analysis
  - ◉ How Shannon information theory can apply to a cognitive model
  - ◉ How to add evidence for the correctness of a model
  - ◉ What does it mean to evaluate “creativity”?
  - ◉ What else should we evaluate?
  - ◉ How do we evaluate it?

- Lecture 3: Creativity in the Global Workspace
  - ▶ A general cognitive architecture that may account for creative thought

# Example: Automated Composition

- Computer composition was first suggested by Ada, Lady Lovelace
- First recorded attempt:
  - ▶ Illiac Suite for string quartet (Hiller & Isaacson, 1957)
    - ◉ stochastic, rule-based generation
    - ◉ not very successful, musically (but still impressive)
- Many subsequent attempts
  - ▶ often concerned with style replication (Bach...)
  - ▶ often concerned with genre replication (jazz...)
  - ▶ rarely (almost never) evaluated scientifically

# Some computational creativity

- A notable success in automated composition is the work of Kemal Ebcioglu (1980, etc.)
- Ebcioglu's system CHORAL is capable of harmonising a given chorale theme according to some 350-odd rules and constraints which, it is claimed, capture the style of J S Bach

1. Chorale 48 (Bach)

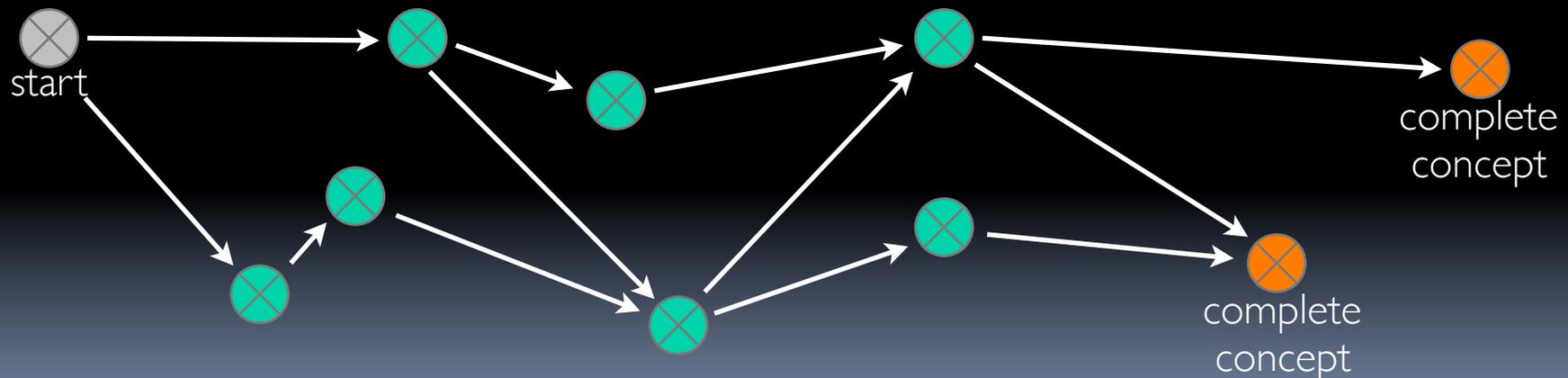
2. Chorale 48 (CHORAL)



- Margaret Boden was the first artificial intelligence (AI) researcher to approach creativity seriously
  - ▶ in *Artificial Intelligence and Natural Man*, Boden, 1977
- Her 1990 book, *The Creative Mind*, outlines a broad characterisation of creative behaviour
- However, the characterisation is rather vague, since the discussion is more philosophical than scientific
- The aim here is to cast Boden's characterisation in more precise terms

# The conceptual space

- Creative activity is cast as the discovery of *concepts* in a *conceptual space*
- The conceptual space contains all the possible concepts available to the creative agent
- The space is defined/constrained by rules
- *Exploratory creativity* is defined as the action of searching the conceptual space for a new concept
- This is an *abstraction* - no strong claim that it works this way in minds/brains



- An alternative kind of Boden creativity is *transformational creativity*
- This is where the rules defining the conceptual space are changed so as to create a different (but presumably related) space
- Boden suggests that transformational creativity is more significant than exploratory creativity, because it is in a sense “bigger thinking”
- Bundy (1998) and Wiggins (2006b) argue against this, as an overly simple definition

- “A symbolic system cannot create new concepts”
  - ▶ weighted semantic networks allow us freely to define new concepts in terms of old ones
  - ▶ conceptual blending allows us to create new semantic structures directly
  - ▶ geometrical representations of meaning allow arbitrary interpolation between concepts (e.g., Gärdenfors, 2000)
    - ◎ though we do need to think carefully about what the resulting representations mean!!

- “A system which is exploring a search space defined by a representation is not being creative”
  - ▶ not necessarily true: it depends on the expressive power of the representation
  - ▶ creating an artefact by *explicit mechanistic inference* doesn't make doing so any less creative
  - ▶ cognitively speaking, creative insight does not “feel” like enumeration
    - ◎ but such introspection is misleading

- “Non-symbolic systems generalise via a simple mathematical process, which is not creative”
  - ▶ There is no evidence that the human mind does not create in this way
  - ▶ There are suggestions (e.g., Kanerva’s sparse distributed memory) that this is exactly how the human mind creates
  - ▶ Anyway, interpolation and generalisation may be a perfectly good model of creativity

- Let us represent the conceptual space as a multidimensional (possibly metric) space
- Partial and complete concepts are represented as points in the space
- Each dimension of the space represents a feature of the domain
- (So each point denotes a set of property/value pairs)

# Defining a conceptual space

- Suppose now that we have a set of rules, **R**, which defines a conceptual space, **C**
- The existence of transformational creativity implies that there must be a larger set, **U**, containing **C**
- So **R** is a set of rules which picks the elements of **C** from **U**
- **C**  $\subset$  **U**

# Defining a conceptual space

- In order to give our rules, **R**, we need a language, **L**, and an interpreter for it
- Let  $[[\cdot]]$  be an interpreter which maps its argument (a set of rules in **L**) to an effective procedure for selecting elements of **U**
- **C** =  $[[\mathbf{R}]](\mathbf{U})$
- We also need a null concept, **T**

- Let us also allow another set of rules, **T**, describing our creative agent's method for exploring **C**
- One more ingredient of Boden's model remains: it is necessary to be able to choose the better concepts from the less good ones
- We introduce a set of rules, **E**, written in **L**, which may be used to accept or reject concepts in terms of their quality
- We will need a more complex interpreter,  $\langle\langle \dots \rangle\rangle$ , which, given three sets of rules in **L**, will return an effective procedure for computing an ordered set of (partial) concepts,  $\mathbf{c}_{out}$ , from another,  $\mathbf{c}_{in}$

$$\mathbf{c}_{out} = \langle\langle \mathbf{R}, \mathbf{T}, \mathbf{E} \rangle\rangle(\mathbf{c}_{in})$$

- It will be useful to add the operator  $\diamond$  which will allow us to compute the set defined by repeated applications of a function

$$F^\diamond(X) = \bigcup_{n=0, \infty} F^n(X)$$

- We can now define the enumeration of the conceptual space,  $\mathbf{C}$ , by our creative agent:

$$\mathbf{e}_C = \langle \mathbf{R}, \mathbf{T}, \mathbf{E} \rangle^\diamond(\{\top\})$$

- Note that  $e_C$  may be a subset of  $C$
- This is because a creative agent's exploratory technique, as captured by  $T$ , need not be strong enough to discover all the concepts which are actually admissible under  $R$
- Or  $e_C$  may intersect  $C$ , producing some acceptable and some unacceptable concepts

- We are now able to describe an exploratory creative system with the following septuplet:

$\langle \mathbf{U}, \mathbf{L}, [.] , \langle \dots \rangle , \mathbf{R}, \mathbf{T}, \mathbf{E} \rangle$

- U** The universe of all concepts
- L** A language for expressing rules and concepts
- [.]** A testing interpreter (for **R**)
- ⟨...⟩** An enumerating interpreter (for **R**, **T** and **E**)
- R** A set of rules defining a conceptual space, **C**, in **U**
- T** A set of rules allowing traversal of **U** (around **C**)
- E** A set of rules evaluating concepts found using **⟨...⟩**

- Boden describes *transformational creativity* as changing the rules, **R**, which define the conceptual space
- In our formulation, there are two sets of rules which can be transformed
- Transforming **R** is transforming what is allowed as the output of the creativity process
- Transforming **T** is transforming the creative agent's personal method

- There is a search space of rule sets, which is itself a conceptual space
- That search space is the power set of the language,  $\mathbf{L}: \mathbf{L}^*$
- So  $\mathbf{L}^*$  is now the universe in which we are searching
- We can describe  $\mathbf{L}$  (and  $\mathbf{L}^*$ ) with a metalanguage  $\mathbf{L}_L$

- To capture the exploration of the rule space, we need some constraints on what is syntactically well-formed,  $\mathbf{R}_L$
- We also need to define the search strategy,  $\mathbf{T}_L$
- If we use the metalanguage  $\mathbf{L}_L$  as before for these specifications, we can use the same interpreters as before,  $\llbracket \cdot \rrbracket$  and  $\langle \langle \cdot, \cdot, \cdot \rangle \rangle$

- The only thing outstanding is the evaluation of the transformation, which can be done with a set of rules,  $\mathbf{E}_L$
- We now have another *exploratory* septuple:

$$\langle \mathbf{L}^*, \mathbf{L}_L, [ \cdot ], \langle \dots \rangle, \mathbf{R}_L, \mathbf{T}_L, \mathbf{E}_L \rangle$$

- So transformational creativity is exploratory creativity at the meta-level of conceptual spaces
- $\mathbf{E}_L$  may be characterised in terms of  $\mathbf{E}$  (see Wiggins, 2006a, for how)

# On failing to create...

- We are now in a position to examine the behaviour of creative systems
- The different components of the descriptions interact, and how they interact can tell us useful information
- Now, we discuss ways in which a system can fail to create
- Therefore, a creative system can introspect about how to improve itself

- *Uninspiration* is the inability to produce valued outputs
- There are three kinds of uninspiration:
  - ▶ Hopeless
  - ▶ Conceptual
  - ▶ Generative
- It is useful to know about uninspiration, because it can act as
  - ▶ a “well-formedness” check
  - ▶ a trigger to transform a creative system in one way or another

- The simplest case of uninspiration is where there are no valued concepts in the universe:

$$\llbracket \mathbf{E} \rrbracket (\mathbf{U}) = \emptyset$$

- This means that no creative agent in this universe can ever produce anything valued
- It is a property which we should attempt to disprove of any creative system, *a priori*

- *Conceptual uninspiration* is where there are no valued concepts in a given conceptual space:

$$[[\mathbf{E}]](\mathbf{C}) = [[\mathbf{E}]]([[R]](\mathbf{U})) = \emptyset$$

- This means that no creative agent exploring this conceptual space can ever produce anything valued
- It is a property which we should attempt to disprove of any exploratory-creative system, *a priori*
- Conceptual uninspiration can be used as a cue to encourage *aberrant* behaviour

- *Generative uninspiration* is where a creative agent's technique, **T**, causes it to miss the valued members of the conceptual space:

$$\llbracket \mathbf{E} \rrbracket (\llbracket \mathbf{R}, \mathbf{T}, \mathbf{E} \rrbracket^\diamond (\{\mathbf{T}\})) = \emptyset$$

- This means that the agent will never produce anything valued
- It is a property which we should attempt to disprove of any exploratory-creative system, *a priori*
- It can act as a trigger for transformation of **T** (or **R**)

- *Aberration* is the production of new concepts which are not in the existing conceptual space (that is, deviation from the expected)
- There are three kinds of aberration:
  - ▶ Perfect
  - ▶ Productive
  - ▶ Pointless

- Aberration happens when a creative agent finds concepts which are valued, but which are not in the conceptual space
- This is why value (**E**) needs to be represented distinctly from acceptability (**R**)
- In the CSF, this means that

$$\langle \mathbf{R}, \mathbf{T}, \mathbf{E} \rangle^\diamond(\{\mathbf{T}\}) \setminus \llbracket \mathbf{R} \rrbracket(\mathbf{U}) \neq \emptyset$$

- Perfect aberration is the case where

$$\langle \mathbf{R}, \mathbf{T}, \mathbf{E} \rangle^\diamond(\{\mathbf{T}\}) \setminus \llbracket \mathbf{R} \rrbracket(\mathbf{U}) = \llbracket \mathbf{E} \rrbracket(\langle \mathbf{R}, \mathbf{T}, \mathbf{E} \rangle^\diamond(\{\mathbf{T}\}) \setminus \llbracket \mathbf{R} \rrbracket(\mathbf{U}))$$

that is, where all the aberrant concepts are valued

- This, in most cases, will be a cue to transform  $\mathbf{R}$  so that it includes the new concepts

- Productive aberration is the case when

$$\llbracket \mathbf{E} \rrbracket (\langle \mathbf{R}, \mathbf{T}, \mathbf{E} \rangle^\diamond (\{\mathbf{T}\}) \setminus \llbracket \mathbf{R} \rrbracket (\mathbf{U})) \neq \emptyset$$

that is, where some aberrant concepts are valued

- This, in many cases, may be a cue to transform **R** or **T** or both

- Pointless aberration is characterised by

$$\llbracket \mathbf{E} \rrbracket(\langle \mathbf{R}, \mathbf{T}, \mathbf{E} \rangle^\diamond(\{\mathbf{T}\}) \setminus \llbracket \mathbf{R} \rrbracket(\mathbf{U})) = \emptyset$$

that is, where no aberrant concepts are valued

- This is a cue to transform **T** but not **R**

- These ideas pave the way towards creative agents which can reason about their own performance, in terms of both value and productivity
- In particular, these analyses, which were not possible in Boden's original framework, allow a system which is essentially exploratory to cue occasional transformational behaviour
- Is this what artists/musicians/scientists do when they (eg) consciously change style?
- Just because we can use the CSF to model creative systems, it doesn't mean that all creative systems have to work by search
- We can usefully conceptualise/model a process as a search mechanism in the abstract even if that is not how it actually works

# An important question

- What is the difference between Good Old-Fashioned AI Search and Computational Creativity based on the Boden/Wiggins model?

- Given an agenda **S** (a sequence of states):
  1. If **head(S)** is a solution, stop.
  2. Remove **head(S)** from **S** giving remainder **S'**
  3. **expand(head(S))** giving **S''**
  4. **merge(S'',S')** giving (new) **S**
  5. Repeat from 1
- For Depth-First Search, **merge = prepend**
- For Breadth-First Search, **merge = append**
- For Best-First Search, Hill-climbing, A, A\*, **merge = append+sort**

- Key Features:
  - ▶ Representation: can represent all and only output configurations of problem (closed world)
  - ▶ Solution detector: Boolean test for (a representation of) a solution
  - ▶ Heuristics allow control of search for best one(s)
    - ◎ calculate “quality” of solutions
    - ◎ calculate “distance” from nearest solution
    - ◎ combination of these

- GOFAL search vs. CSF
  - ▶ Representation syntax  $\approx$  Rules of **R**
  - ▶ Search space  $\approx$  Conceptual space
  - ▶ Algorithmic framework  $\approx$  Algorithmic framework
  - ▶ Heuristics  $\approx$  Traversal (**T**) and/or Value (**E**) Rules
  - ▶ Agenda (**S**)  $\approx$  Current expansion of space (**C<sub>in</sub>**)

- Representation: closed vs. open world (**C** vs **U**)
  - ▶ admits “discovery” of solutions not envisaged by system designer
- Algorithmic framework: single vs. multiple operands
  - ▶ admits more complex (powerful?) search algorithms, e.g., GA, blending

- GOFAI search can be implemented in the CSF
- The CSF cannot be implemented as GOFAI search
  - ▶ (unless, in both cases, we disingenuously jump to a meta-level)
  - ▶ The CSF is therefore more expressive than the GOFAI search framework
  - ▶ So Boden's notion of creativity is not "just AI search"

- Introduced Creative Systems Framework
  - ▶ Conceptual Space and Rule Set **R**
  - ▶ Traversal of Space to find Concepts and Rule Set **T**
  - ▶ Evaluation and Rule Set **E**
- Transformational Creativity is Exploratory Creativity at the meta-level
- The CSF is more expressive than the standard search framework of AI
- We can use the CSF to help conceptualise creative systems...
- ...and that's what we'll do in Lectures 2 and 3