

Lecture 4

Performance Evaluation Models

- Building a Model
- Multiple Class Models
- Baseline Model
- Modification Analysis

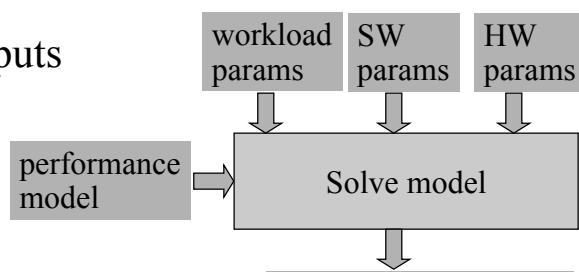
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Performance Model

- Inputs & outputs



- Solution methods
 - depend on model
 - trivial: rules of thumb
 - complex: analytical, simulation, benchmarks

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Example: Database Server

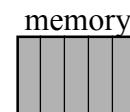
Query transactions



0.5 tps

Multiprogrammed
OS

CPU



5 partitions

(I.e., max 5 transactions
processed at the same time)



- What if 1.0 tps?
 - need faster CPU? or more memory?
- Queues? Resources? Active? Passive?
- Use of resources? service time?

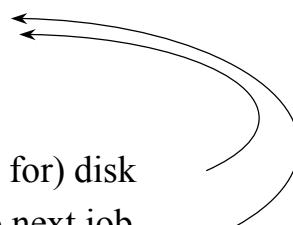
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Typical Transaction T

- Acquire memory partition
 - queue for memory?
- Use CPU
 - queue for CPU?
- until
 - I/O operation: use (and queue for) disk
 - timeslice expires: give CPU to next job
 - transaction completes: release mem & depart



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Active resource

- Server, device
- Gives service
- Must have in possession during service
- Kept only during service
- Waiting queue or line
- Speed or rate of service, service time
 - parameter to model?
 - aver. value? distribution?
- Fig. 3.2 [Men 94] CPU, Disks

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Passive Resource

- Allocated, reserved
- Deallocated, freed
- Waiting queue or line
- Must have in order to proceed
- Kept until deallocated
 - difficult for Markov Chain based analytical solutions
 - trouble: simultaneous resource possession
- Figs 3.3 & 3.4

Memory

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Queueing Network (QN)

- Network of Queues
- Open Queueing Network
 - Database server: Fig. 3.5 [Men 94]
 - system, arrivals
 - transitions, transition probabilities
 - queues, queue lengths
 - subsystem, easy to solve!
- Service demands (D_i)
 - Tbl 3.1

Operational Analysis

Utilization

Total
observation
time

$$D_i = (U_i * T) / C_0$$

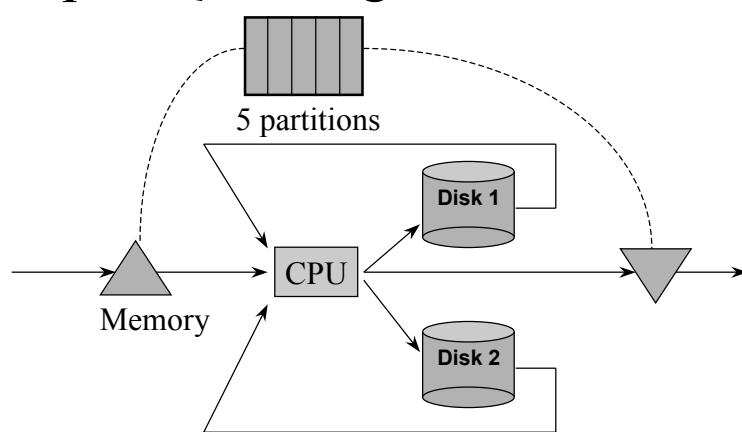
$$D_i = V_i S_i$$

Completions
from system

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Open Queueing Network



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Service Demand D_i

$$\begin{aligned}
 D_i &= (U_i * T) / C_0 \\
 &= U_i / (C_0 / T) = U_i / X_0 \\
 &= V_i S_i
 \end{aligned}$$

Device Service Time

Device Utilization

Total observation time

Completions from system

System throughput

Device Visit Ratio = Nr of visits to device

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Example Open QN Model

- Fig. 3.5
- Minimum response time:
- Queueing time?

$$T_0 = \sum_{i=1}^K D_i$$

$$T = T_0 + W_{mem} + W_{cpu} + W_{disk1} + W_{disk2}$$

- Average arrival rate $\lambda = 0.5$ tps
- Maximum degree of multiprogramming
 - how many jobs in subsystem?
 - $N^{max} = 5$

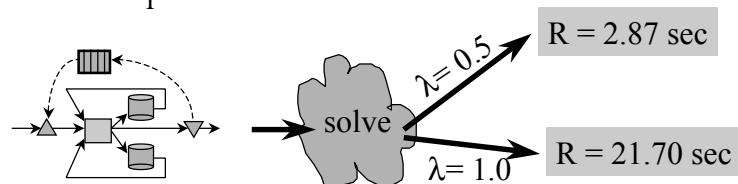
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How to Solve System Model?

- Depends on arrival rate!
 - Tbl 3.2
- Easy to solve with light load
- More complex to solve with heavy load
- What is λ_1 ?



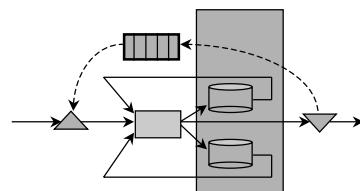
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Disk Subsystem

- I/O channels? SCSI?
- Heads of strings?
- Device controllers
- Disk cache
- File access protocol
- Rotation speed?



Average demand
 $S_i = 0.75 \text{ sec}$

OK or not OK?

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Interactive Systems

(osituskäyttö
systeemit)

- People are part of model
- Terminals, work stations, ...
- Response time (R), Think time (Z)
- Fig. 3.6
- Tbl 3.7
- How to solve?
 - depends on number of terminals
 - Tbl 3.4

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Batch Systems

(erääjosysteemit)

- No people
- Closed system
- Fixed number of multiprogramming level
- Tbl 3.5

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Multiple Job Classes

- More difficult than before
 - More parameters to estimate
 - More complex to solve
- Gives more usable information
- Open model: class arrival rates
- Closed model: class populations
- Tbl 3.6

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Aggregating Classes

(luokkien yhdistely)

- Combine classes to make model simpler
 - aggregate all uninteresting job classes together?
- To make parameter estimation simpler
- Tbls 3.7 & 3.8
- Need to compute derived parameter values for aggregate class from those of component classes
 - method varies depending on network type
 - Figs 3.9, 3.10 & 3.11

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Priorities

- Priorities are used in real systems
 - CPU, disks, etc
- May be dynamically changing
- Difficult to model well
- Models with priorities are more complex to solve (than those with no priorities)
- Example with Tbl 3.9

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Shared Domains

(yhteisalueet)

- Class limits or passive resources shared with other classes
 - multiprogramming level
 - memory partitions
 - Fig. 3.12

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Multiple Class Model Parameters

- Tbl 3.10

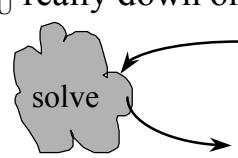
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Baseline Model and Modification Analysis

- Baseline: Tbl 3.11
- A: Use DBMS: Tbl 3.12
- B: Use DBMS + Optimizing compiler
 - D_{CPU} down 50%
 - only for applications, 40% of CPU path length
 - So, D_{CPU} really down only 20%



	Trivial	Complex
D_{CPU}	0.2	0.45
R	1.77	3.09

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Baseline Model and Modification Analysis (contd)

- C: DBMS + Larger DB record buffer pool
(I.e., larger disk cache)
 - D_{DISK1} and D_{DISK2} down 30%
 - Tbl 3.13

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Baseline Model and Modification Analysis (contd)

- D: Use also transaction logging for crash recovery?
 - disk update needs 2048 B record (38.7 msec)
 - logging only for complex transactions
 - assume each complex transaction causes one disk update, and so one log update (to DISK1)
 - D_{DISK1} up 0.0387 sec
 - Tbl 3.14

	trivial	complex
R	1.17	2.26

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Solution Methods

- Analytical $\lambda \rightarrow$  S 
- much more complex for complex models
- Approximate
 - approximate reality with simpler model
 - approximate exact solution for complex model
- Simulation
 - Monte Carlo
 - statistical analysis

$$R = \frac{S}{1 - \lambda S}$$

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